

I 8591-65 ENT(d), IJP(c)/ASD(a)-5/AFTC(p)/ESD(1)/RAEM(t)
ACCESSION NR: ATR046527

S/2976/64/000/001/0156/0163

AUTHOR: Gakhariya, K. K.

TITLE: Numerical methods for solving wave function boundary problems on a double variable plane

SOURCE: Moscow. Vyssheye tekhnicheskoye uchilishche. Vychislitel'naya tekhnika, no. 4, 1964, 156-163

TOPIC TAGS: boundary problem, boundary value problem, wave function, double variable function, double number, analytical function, Cauchy formula, Poisson formula

ABSTRACT: A formula is derived which expresses the value of a function, belonging to a class of wave functions, at any point lying within the region bounded by conjugate equiaxial hyperboli through the values of the given wave function and its conjugate on the boundary of the region. For the solution of this problem, formulae are derived which are similar to those of the theory of the analytical functions of a complex variable. It is well known that the theory of analytical functions solves boundary problems of mechanics for the Laplace equation in the plane. In this article, the author poses and solves a problem of similar nature for a wave equation in a plane by means of double-variable analytical functions. In the

Card 1/2

I. 8591-65
ACCESSION NR: AT4046527

course of this analysis, he defines double numbers and their modulus, argument, norm and parameter, discusses the theory of double-variable functions, and derives Cauchy and Poisson formulas for the integration of these functions. Orig. art. has: 5 figures and 8 formulae.

ASSOCIATION: Moskovskoye vyssheye tekhnicheskoye uchilishche (Moscow School of Higher Technical Education)

SUBMITTED: 00

ENCL: 00

SIZE CODE MA

NO REF Sov: 002

OTHER: 090

Card 2/2

GAKHENSON, B. S.

USSR/Engineering - Caterpillar Track

Card 1/1

Authors : Sarkisyants, E. A., and Gakhenson, B. S.

Title : A new design of a cast, repairable caterpillar track

Periodical : Avt. Trakt. Prom. Ed. 1, 6-8, January 1954

Abstract : A description is presented on a newly designed caterpillar track, and a comparison is made of the above track with that of the C-80 tractor. The new caterpillar track is still in the experimental stage, and it is expected to be mass produced in the near future. Drawings.

Institution :

Submitted :

GAKHENSON, B. S.

USSR/Engineering - Tractor Steering Mechanism

Card 1/1

Authors : Gakhenson, B. S.

Title : A planetary mechanism for tractor steering facilitates the driver's work

Periodical : Avt. Trakt. Prom. Ed. 1, 20-21, January 1954

Abstract : Presentation of calculations of the planetary mechanism for tractor steering, and the description of its operation. Symbols, designating the specific functions and moments utilized for the calculation of the above mechanism, and the turning radius of a steering wheel are presented. Formulas.

Institution :

Submitted :

GAKHENSON, B.S.

Coupling joints with elastic rubber parts. Avt. i trakt. prom.
no.8:18-19 Ag'55. (MIRA 8:11)

1. Altayskiy traktorny zavod
(Tractors--Transmission devices)

GAKHENSON, B.S.

Experimental KDT-70 tractor with four drive wheels. Trakt. i
sel'khozmash. no.5:5-8 My '59. (MIRA 12:6)

1. Altayskiy traktorny zavod.
(Tractors)

OAKHENSON, B.S.

The T-4 general-duty crawler tractor. Biul. tekhn.-ekon. inform.
no.10-58-59 '59. (MIRA 13:3)
(Crawler tractors)

GAKHENSON, Boris Semenovich, dotsent; ZORIN, Stanislav Pavlovich, inzh.;
VORONIN, M. I., inzh., red.; MIKHAYLOVA, L.G., red. izd-va;
SHIBKOVA, R.Ye., tekhn. red.

[The TDT-75 timber skidding tractor] Trelevochnyi traktor
TDT-75. Pod obshchei red. M.I.Voronina, Moskva, Goslesbumizdat,
1962. 292 p.
(Tractors) (Lumber--Transportation)

GAKHNIAN, R.; NIKOLOVA, M.; DRUMEV, D.

Some considerations on the effect of *Aesculus hippocastanum* and *Sorbus aria* preparations. *Izv. inst. fiziol.* 5:307-319 '62.

(*AESCULUS* pharmacol)
(*PLANTS MEDICINAL* pharmacol)

"APPROVED FOR RELEASE: 09/17/2001

CIA-RDP86-00513R000614010019-9

KOSTOV, V.; GAKHNIAN, R.

Studies on anti-bacterial properties of some vitamin K-like substances. Izv. mikrobiol. inst. (Sofia) 16:25-30 '64

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GAHKOK 102 E HMI

PROCESS AND PROPERTIES INDEX

Demercuration of hydroxy aldehydes. VI. Isomerization and regrouping of monoses. S. N. Danilov and A. M. Gakhovina. *J. Gen. Chem. (U. S. S. R.)* 6, 704-19 (1930).¹ Cf. *C. A.* 28, 1064.² By analogy with the decomposition of α -Br and α -HO aldehydes into acid, monobasic acids previously studied, monoses substituted in the 1- and 1,2-positions with halogens are capable of the saccharic-acid type rearrangement. Thus, 2-chloroacetylglucose (I) reacts with $Pb(OH)_2$, giving directly 2-Chlorotrimethylglucosone (III), called here orthosaccharic acid. Triacetylglucosone (IV) gives under these conditions 2-Chlorotrimethylglucosone (V). Pentaacetylglucosone, m. 128-31°, prep'd. by heating glucose with AgO and $NaOAc$, was treated for 2 hrs. with HBr and in $AcOH$ at 0°. The reaction product in $CHCl_3$ was pp'd. with ether and recrystd. from $AmOH$ at 0°, giving 70% β -bromotetraacetylglucose, m. 80-7°. This (50 g.) in 500 cc. of 50% $AcOH$ was gradually treated, with shaking, with 100 g. Zn dust at 15-25° for 3-3.5 hrs. The filtrate was concd. at 30-5° and 12 mm. pressure and then ext'd. with Bt_2O . After washing the ext. with $NaHCO_3$ and H_2O and distg. off the Bt_2O , the syrup was allowed to crystallize in a desiccator for a few days, giving 85% triacetylglucal (V), m. 84-8° (alc.), $[\alpha]_D^{25} -14.4^\circ$ (25% alc.). V, treated with Br in $CHCl_3$ at 0° and the $CHCl_3$ discd. off in *succ.* gave 90% 1,2-dibromoacetylglucal, (O.CHB₂CHBr.(CH(OAc)).CHCl₂OAc) (VI), $[\alpha]_D^{25}$ -13.7°. V with Cl in $CHCl_3$ gave 68% 1,2-dichloro-

acetylglucal (VII), m. 80-92° ($Rf(1)$), $[\alpha]_D^{25} 108.4^\circ$, VII (15 g.) in 100 cc. $CHCl_3$ shaken with moist Ag_2O (25 g.) gave 2-bromotriacetylglucal, $[\alpha]_D^{25} 50.4^\circ$. VII (20 g.) in $CHCl_3$ with 30 g. Ag_2O + H_2O gave 70% I, $[\alpha]_D^{25} 62.5^\circ$ ($CHCl_3$). The mono- and dibromoacetylglucoses, treated with $Pb(OH)_2$, cleave the Ac groups and give II (10- $CH_3_2CH(OH)CH_2OH$). R. E., I (30 g.) in 300 cc. H_2O with 50 g. of freshly prep'd. $Pb(OH)_2$ was stirred on a water bath first at 20-5° for 5 hrs. and then at 50°, 60-75° and 85-90° for 25, 25 and 5-10 hrs., resp. The filter cake was dissolved in H_2O and the Pb salt compd. with H_2S . The filtrate was concd. *in vacuo*, the syrup稀d., with H_2O and again concd. The operation was repeated until all the $AcOH$ was expelled. The syrup was digested with an excess of $BaCO_3$ in H_2O , the filtrate boiled with animal charcoal and the filtrate concd., giving 78% Ba glucodesonate, $[\alpha]_D^{25} 9.4^\circ$. This, decompd. with H_2SO_4 , gave 13.0 g. II, m. 106°, $[\alpha]_D^{25} 4.99^\circ$. The phenylhydrazone of II m. 170°. II, treated with Ac_2O and $NaOAc$ at 70-80° for 10 hrs. and then at 90-100°, gave 3,4,5,6-tetraacetylglucosonic acid, m. 110°; its phenylhydrazone m. 143°. II, treated with Mel in the presence of Ag_2O at 40° for 30 hrs., gave 78% Et 3,4,5,6-tetraacetylglucosonate (VIII), m. 81.5°, $[\alpha]_D^{25} 84.2^\circ$. VIII, saponif. with $Ba(OH)_2$, gave the acid (IX), m. 92-4°; its phenylhydrazone m. 113°. The synthesis of IV from III was studied to show that in the formation of II from the halogen derivs. of V with $Pb(OH)_2$ no other isomeric saccharic acids are formed. Glucal, m. 141°.

ASB-12A METALLURGICAL LITERATURE CLASSIFICATION

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$[\alpha]_D^{25} -07.3^\circ$, was prep'd. by mtg. 15 g. V in 150 cc. MeOH with dry NH₃ at 0° and letting it stand at room temp. for 24 hrs. After concg. the mixt. *in vacuo*, the syrup was distd. at 105° and reduced pressure until it was freed from AcNH₂. Glucal, digested with a large excess of MeI and AgOAc for 20 hrs., gave 3,4,6-trimethylglucal, $[\alpha]_D^{25} 21.4^\circ$. This (10 g.) in 10 cc. CHCl₃, treated with Cl at 0° and the CHCl₃ distd. off *in vacuo*, gave 9.1 g. 1,2-dichlorotrimethylglucal, $[\alpha]_D^{25} 121.1^\circ$ (CHCl₃). This in CHCl₃, shaken with moist Ag₂O, gave III. III in H₂O, heated gently with Pb(OH)₄, gave 69% IV; its phenylhydrazone m. 122-5°. IV was converted with EtI into VIII and this into IX.

Chas. Blane

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CIA-RDP86-00513R000614010019-9

GAKHOKIDZE, A. M.

"The Isomerization of Oxyaldehydes," Part VII. "The Regrouping of Galactose into Galactodesonic Acid," Zhur. Obshch. Khim., 1C, Nos., 5-6, 1940. Laboratory of Chemistry, Tbilisi Pedagogical Institute.

Report U-1526, 24 Oct 1951

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GAKHOKIDZE, A. M.

"The Isomerization of Oxyaldehydes" Part VIII. "The Conversion of β -Arabinose into γ -Arabosaccharinic Acid," Zhur. Obshch. Khim., 10, Nos., 5-6, 1940. Laboratory of Chemistry, Tbilisi State University.

Report U-1526, 24 Oct 1951.

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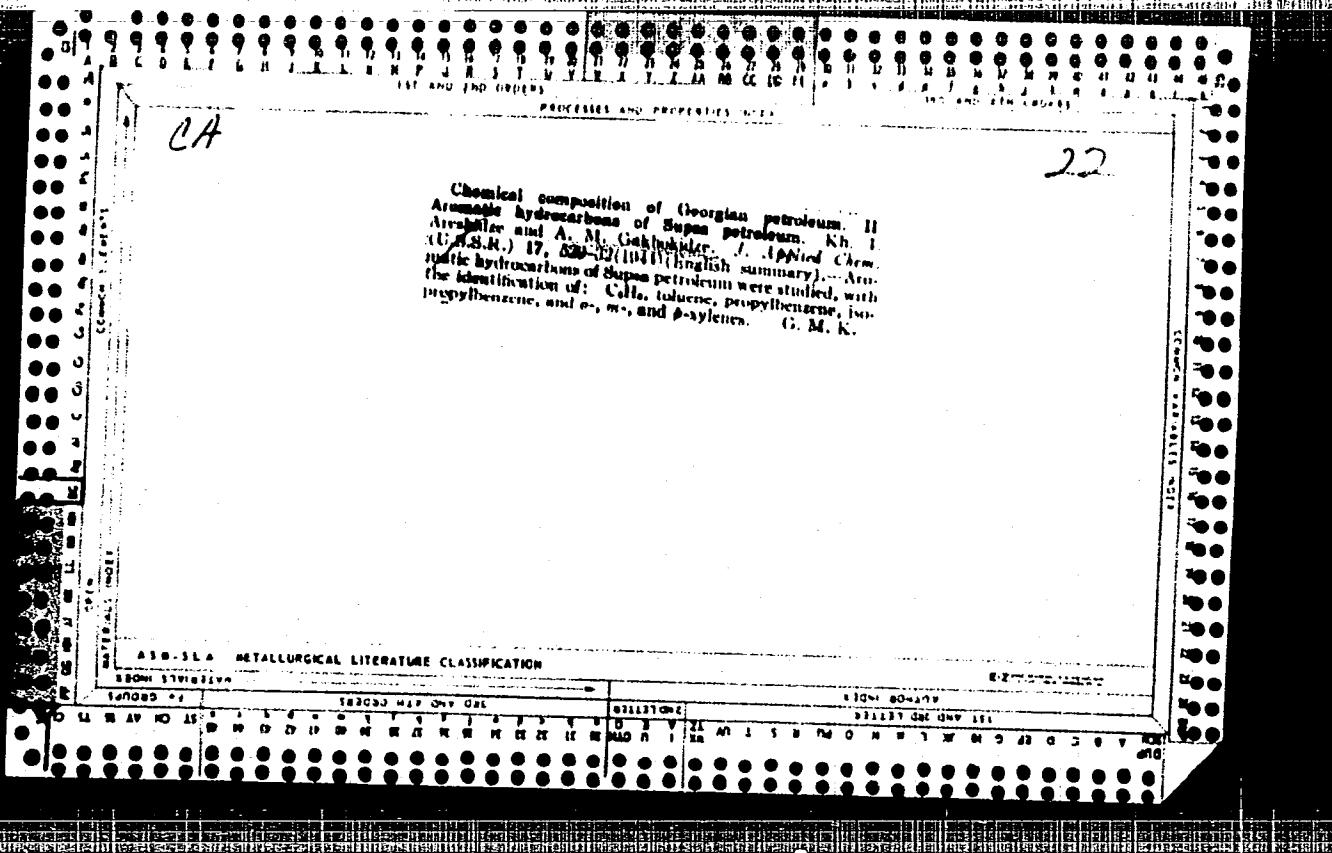
Synthesis of 2-glucosidoglucose. A. M. Gakhkader, *J. Gen. Chem. (U. S. S. R.)* 11, 117-21 (1941).—The purpose of the work was the synthesis of 2-glucosidoglucose. Glucose pentaacetate (**I**) was converted into 1-bromo-tetraacetylglucose, and the latter into 2,3,4,6-tetraacetylglucose (**II**), m. 110-21°, by the action of Ag_2CO_3 in H_2O , with addition of H_2O_2 ; yield 23%. Treatment of **I** with PCl_5 gave 30-45% 1-chloro-2-(trichloroacetyl)-3,4,6-triacetylglucose, m. 107-61° (in benzene). The latter treated with NH_3 at 0° gave 58% 1-chloro-3,4,6-triacetylglucose, m. 150-60°, $[\alpha]_D^{25}$ 10.1° (in EtOAc). The latter treated with Ag_2O gave 1,3,4,6-tetraacetylglucose (**III**), m. 118°, in 30% yield. Equimolar proportions of **II** and **III** treated in CHCl_3 with ZnCl_2 and then with P_2O_5 gave 2-(2,3,4,6-tetraacetylglucido)-1,3,4,6-tetraacetylglucose, **IV**, and **III**. The latter were present in traces and were removed by soln. in H_2O . The disaccharide acetate m. 189° (from MeOH), $[\alpha]_D^{25}$ -40.5°. It was treated with MeONa in CHCl_3 to give 2-(1,5-glucido)-1,6-glucos (IV), m. 170-87° (from EtOAc), $[\alpha]_D^{25}$ 27.5° (in water). **III** and the 1-Br derivt. of **II** condensed by Ag_2O in CHCl_3 gave octaace-

t-1,2-glucosidoglucone, m. 189-90°, in 65% yield. IV yields a *phenylhydrazone*, m. 175°, in 10% yield, sol. in H_2O and EtOH . The disaccharide on oxidation by Br/CaCO_3 in water yielded a bionic acid, which hydrolyzed upon heating with 5% H_2SO_4 into glucose and glucuronic acid. The bionic acid upon methylation by Me_2SO_4 , followed by MeI and Ag_2O , gave upon hydrolysis with 7% HCl in CHCl_3 , 3,4,6-tetramethylgluconic acid and 2,3,4,6-tetramethylglucone, m. 83°. The disaccharide treated with NH_2ONa in $\text{EtOH}-\text{H}_2\text{O}$, followed by $\text{Ac}_2\text{O}-\text{AcONa}$ at 110°, gave *alpha*-acetyl-2-(*1*-glucosido)-2-glucurononitrile in 45% yield, m. 149-51°, sol. in CHCl_3 , Me_2CO , EtOH , H_2O , MeOH and EtOH . The octaacetate treated with EtONa followed by Ag_2CO_3 yielded glucosidopentose, which, when acetylated, gave glucosidobutanose octacetate, m. 188-89°, [α] $^{25}_{\text{D}}$ -21.8° (in CHCl_3). G. M. Kedrovoff

G. M. Kondapalli

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Isomerization of hydroxy aldehydes. 1A. Isomerization of D-xylose into D-xylo- β -thiocarboxylic acid. A. M. Gakhokheli (Tbilissi Pedagog. Inst.). *J. Gen. Chem. (U.S.S.R.)*, 15, 830-8 (1945) (English summary); cf. C.A. 36, 7857*. D-xylose (30 g.), 200 cc. Ac₂O, and 20 g. NaOAc were heated on a water bath for 5 hrs., with frequent shaking; after slow pouring into ice water, extn. with CHCl₃, and evapn. of the latter there was obtained β -D-tetrahydrofuran, m. 122-4°, $[\alpha]_D^{25} = -21.8^\circ$; the above (20 g.) in 70 cc. HIO₄ (satd. at 0°) soln. in AcOH was allowed to stand for 2 hrs., dilut. with 200 cc. CHCl₃, and poured into 1.5 l. ice water, after which the org. layer was concn. and treated with petr. ether to give 81% *aceto-bromo-D-xylose*, m. 103° (from EtOAc), $[\alpha]_D^{25} = 207^\circ$. This (25 g.) in 300 cc. 50% AcOH was treated with 50 g. Zn dust and shaken for 3 hrs.; after filtration, concn., and addn. of little water there was obtained 80% oily diacetyl-D-xyal, m. 40-2° (from EtOAc and CHCl₃), $[\alpha]_D^{25} = -318.5^\circ$, which (20 g.) in 100 cc. dry CHCl₃ was treated with cold EtONa (from 2 g. Na) with shaking and then with ice water to give D-xyal, m. 50-1° (concen. of alc. layer, neutralization by AcOH), and addn. of 30 cc. abs. RCOH (81%). Treatment of this with 6% H₂SO₄ gave 70% 2-deoxy-D-xylose, m. 93-4°, initial $[\alpha]_D^{25} = -27.8^\circ$, final $[\alpha]_D^{25} = -1.7^\circ$; boiling of 1.8 g. of this in KOH with PhNH₂HCl gave the *phenylhydrazone*, m. 108-9°, while treatment of 3.5 g. with 4 g. Br and 15 g. CaCO₃ in 120 cc. water with shaking gave, after decompr., of the Cu salt by the calcd. amt. of (CH₃)₂C=O, *p*-xylosidic acid lactone, m. 137-8°; *phenylhydrazone* dextr., m. 170-1°. Diacetyl-D-xyal (10.5 g.) in 150 cc. AcOH was treated with O contec. 4-5% O₂ at room temp.; after diln. with

Bu_2O and treatment with 100 g. Zn dust , the mixt. was heated for 5 hrs. on a steam bath, then evapd. in *vacuo* to yield 80% diacetyl-D-threose, m. 139-40° (from ROH), $[\alpha]_D^{25} +84.0^\circ$; *phenylhydrazone*, m. 148° (from ROH); hydrolysis by Ba(OH)_2 at 0-6° gave D-threose (70%), m. 130°, $[\alpha]_D^{25} +25.0^\circ$; oxime, m. 101°; 1,2-monooxetane deriv., m. 83°; heating with Ac_2O and Na/Ac in 100 cc. water was treated with 16 g. Br and allowed to stand in the light with shaking, followed by neutralization by CaCO_3 , to yield the Ca salt of D-thromonic acid by addition of abs. HClH_2 ; decompt. of the Ca salt by Cu(OH)_2 gave an uncrystallizable lactone of D-thromonic acid, $[\alpha]_D^{25} +31.5^\circ$; *phenylhydrazone* of D-threose, m. 157-8°; 3,4-Diacetyl-D-xylitol (15g.) in 200cc. dry CHCl_3 was treated at 0° with dry Cl_2 to yield, on evapn. and treatment with hot Et_2O , 91% 1,2-dichloro-3,4-diacetyl-D-xylene, m. 106-8°, $[\alpha]_D^{25} +84.4^\circ$; this (10 g.) mixture, dry Et_2O was treated with 20 g. moist Ag_2O , and the mixt. was shaken with cooling for 10 hrs. and evapd. after filtration to yield, on prolonged evaporation, hygroscopic 2-chloro-3,4-diacetyl-D-xylene, m. 120°, $[\alpha]_D^{25} +40.0^\circ$; 20 g. of this in 100 cc. CHCl_3 was mixed with 700 cc. water and 70 g. fresh Pb oxide , and the mixt. was heated with shaking on a steam bath for 5 days, after which it was filtered and evapd. in *vacuo* to a syrup. This syrup was heated with org. solvents (unspecified) to remove reducing substances, dissolved in water, and freed of Pb by HgS , followed by vacuum evapn. and treatment with BaC_2 , with 6 hrs. heating on a water bath, to yield, on evapn. and decolorization, 61% Ba salt of α -xylotrioxanthorhamic acid; treatment with the caleld. amt. of H_2SO_4 gave the lactone of meso- α -xylotrioxanthorhamic acid.

ASB-31A METALLURGICAL LITERATURE CLASSIFICATION

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GAKHOKIDZE, A. M.

"The Isomerization of Hydroxyaldehydes. X. Isomerization of d-Arabinose into d-Arabo-Ortho-Saccharinic Acid." Gakhokidze, A. M. (p. 539)

SO: Journal of General Chemistry (Zhurnal Obshchey Khimii) 1945, Volume 15, no. 6.

Sacharic rearrangement of sugars. I. Isomerization of lactose into ortholactosaccharic acid. A. M. Gakhnik (Philist. Pedagog. Inst.). *J. Gen. Chem. (U.S.S.R.)*, **10**, 1007-13 (1940). — *Hexacyclic lactal (I)*. (Fischer and Curme, Jr., *J.A. S. 3040*, prep'd. in 67% yield from aceto-bromolactose (m. 144°, $[\alpha]_D^{25}$ 107.4° (CHCl₃)), m. 112°, $[\alpha]_D^{25}$ -15.1° (CHCl₃). Hydrolysis by EtONa gave 80% lactal, m. 100-1°, $[\alpha]_D^{25}$ 23.7° (H₂O). I (0.5 g.) in 100 cc. glacial AcOH was treated with cooling with O contg. 3-5% O₂; after completion of the reaction (lit test), the soln., dild. with 450 cc. Et₂O, was shaken and heated with 100 g. Zn dust. The Et₂O layer was sepd., washed with NaHCO₃, H₂O, and evapd.; the residue in the min. amt. of dil. EtOH deposited on standing 70%; hexacetyl-*β*-galactosidaturonate, m. 154°, $[\alpha]_D^{25}$ -80.8° (EtOH). This (4 g.), treated in 70 cc. dry MeOH with cooling with MeONa from 1.2 g. Na and 50 cc. MeOH, then shaken 1 hr., poured into 200 cc. cold H₂O, neutralized with AcOH, and evapd., *in situ*, gave 3-galactosidaturonate (87%); from H₂O-abs. EtOH, m. 105°, $[\alpha]_D^{25}$ -55.1° (H₂O); m. 210°. I (10.5 g.) in 250 cc. dry CHCl₃ was treated with dry Cl, with cooling, until it gave a neg. reaction with Br; after evapn. and addn. of hot Et₂O, 83% 1,2-diMethacetylgalactose, m. 175°, $[\alpha]_D^{25}$ 120.8°, was obtained; this (0.8 g.), shaken 10 hrs. in 100 cc. dry CHCl₃ with 8 g. Ag₂CO₃ and 1 g. H₂O, then filtered and evapd. *in situ*, yielded 2-chlorohexacetyl-lactose, m. 110°, $[\alpha]_D^{25}$ 70.4° (in CHCl₃), sol. in CHCl₃, pyridine, ales., Me₂CO, and CCl₄. This (7.5 g.) in 40 cc. CHCl₃ was treated with 300 cc. water and 30 g. fresh Pb oxide, heated on a steam bath with shaking 20 hrs., filtered, and sepd.; the aq. layer was freed of reducing substances by treatment with org. solvents (CHCl₃, Et₂O, Me₂CO, EtOH) and evapd.; the residue was again treated with org. solvents, then dissolved in 300 cc. water, treated with H₂S, filtered, and evapd., *in situ*; the residue was repeatedly evapd. with H₂O *in situ*, then dissolved in 300 cc. water, dissolved, and heated with CaCO₃; after filtration and evapn. to a small vol., followed by addn. of abs. EtOH, *Ca ortholactosaccharate* was obtained; the *Ba salt* was obtained similarly. With (CO₂H)₄ or H₂SO₄, resp., the salts give on evapn. the monocryst. *ortho*-lactosaccharic acid, $[\alpha]_D^{25}$ 15.3° (in H₂O); *phenylhydrazide* m. 194°. Boiling the acid with 80% H₂SO₄ 1 hr. gave *ortho*-glucosaccharic acid, isolated as the *Ba salt* (from H₂O-EtOH), after the sepn. of which the mother liquor gave with PhNH₂, galactosone, m. 190-2°. *Ca ortho*-lactosaccharate (5.5 g.) in 25 cc. H₂O was treated with 40 g. Me₂SO₄ and heated to 70-80° while being treated with 30% NaOH, keeping the soln. alk., then heated to 100° 2 hrs.; after extn. with CHCl₃ and evapn. of the latter, the residue was heated with 20 g. Mel and 3.2 g. Ag₂O, filtered, and evapd. to yield *Me heptamethylortho*-lactosaccharate, m. 1,4013, d. 0.9080. This (0.2 g.) in 20 cc. CHCl₃ was treated with 100 cc. 4% H₂SO₄ and heated to 100° with stirring 10 hrs.; neutralization with BaCO₃, filtration, evapn., and extn. with hot CHCl₃, gave 2,7,4,6-tetramethylgalactose, m. 70°, $[\alpha]_D^{25}$ 118.5° (in H₂O); the soln. from the above was evapd. to a small vol. and treated with abs. EtOH to give *Ba 3,5-d trimethylortho*-glucosaccharate;

ADM-SLA METALLURGICAL LITERATURE CLASSIFICATION

ppm. of the Ba by H_2SO_4 and treatment of the soln. with $CaCO_3$ gave a flocculent *Ca salt* of the above acid; decompr. of either the Ba or Ca salt with H_2SO_4 or $(CO_2)H_2$, resp., and evapn. gave the lactone of 3,5,6-trimethylortho-gluconic acid, m. 90-100°, $[\alpha]D^{20} 50.8^\circ$, while methyl-
ation of the Ca salt gave *Methyl 3,5,6-trimethylortho-*
gluconate, m. 79-81°, $[\alpha]D^{20} 84.1^\circ$. II. Isomerization
of cellulose into orthocellulosaccharic acid. *Ibid.*
1014-22.—Cellulose α -acetacetate, prep. in 30% yield
from pure cotton and Ac_2O in the presence of $HgSO_4$ at
40-60°, m. 220°, $[\alpha]D^{20} 41.0^\circ$ (in $CHCl_3$). The above
(100 g.) with $AcOH$ soln. with Hg gave 97% *aceto-*
bromocellulose, m. 182°, $[\alpha]D^{20} 91.8^\circ$ ($CHCl_3$). This
(106 g.) gave 41.5 g. (57%) *hexaetylcellulose* (by Zn dust
in $AcOH$), m. 138°, $[\alpha]D^{20} -20.3^\circ$ (tetrachloroethane);
hydrolysis of the latter according to Bergmann and
Schotte (C.I. 15, 3620) or Fischer and Pöder (C.A. 1, 8,
3048) gave 80% *cellulose*, m. 173-6°, $[\alpha]D^{20} 2.18^\circ$ (H_2O).
Hexaetylcellulose (8.4 g.) in 130 cc. $AcOH$ was treated
with O contg. 3.5% O₂ (Br water test), then dried, with
300 cc. HgO , treated with 120 g. Zn dust, and heated
with shaking; the org. layer, after washing with $NaHCO_3$
and water, was dried and evapd.; the residue on mixing
with ROH gave 74% *hexamethyl-3-glucuronobioside*, m.
150° (from $EtOH$), $[\alpha]D^{20} 54.0^\circ$; this (6.2 g.), treated
in 100 cc. cold abt. $MeOH$ with $MeONa$ from 1.6 g. Na
in 80 cc. $MeOH$, shaken 1 hr., then poured into 200 cc.
cold H_2O , neutralized with $AcOH$, and evapd. *in vacuo*,
yielded 70% *β-D-glucuronobioside*, m. 101° (from dil.
 $EtOH$), $[\alpha]D^{20} -90.4^\circ$; *phenylhydrazone* m. 204°. Cellu-
lose (2.2 g.) in 200 cc. 3% H_2SO_4 was allowed to stand 2
days; rapid evapn. *in vacuo* gave 70% *2-deoxycellulose*,
m. 213°, $[\alpha]D^{20} 21.6^\circ$ (H_2O); *phenylhydrazone* m. 194°;
treatment with Ac_2O and $NaOAc$ gave *heptaetyl-2-*
deoxycellulose, m. 170°; the latter (1.6 g.), shaken 5
hrs. in 100 cc. dry Me_2CO with 2.8 g. molal Ag_2CO_3 , yielded
1.2 g. (2-Deoxycellulose (1.2 g.) in 200 cc. H_2O was
treated with 4.1 g. Br and allowed to stand in the light

5 days with gradual addn. of 10 g. $CaCO_3$; filtration,
evapn., and treatment with $EtOH$ gave *Ca 2-deoxycello-*
bionate, which after decompr. with $(CO_2)H_2$, filtration,
and evapn., gave the lactone of *2-deoxycellulose* and
Cl, m. 171°, $[\alpha]D^{20} 31^\circ$. Hexaetylcellulose (5.3 g.) in
200 cc. dry $CHCl_3$ was treated cold with Br in $CHCl_3$ until
a color appeared; after standing 3 days, with addn. of Br
to preserve a small excess, the soln., evapd. and treated
with petr. ether, yielded 78% *1,2-dibromoheptaetylcello-*
bioside, m. 172° (from $EtOH$ -AmOH), $[\alpha]D^{20} 90.4^\circ$ (tetra-
chloroethane); the latter (4.0 g.) in 100 cc. dry $CHCl_3$ was
treated with 2.4 g. dry Ag_2CO_3 and 0.8 g. HgO and shaken
5 hrs.; after filtration and evapn., the residue, treated
with petr. ether, yielded 70% *2-bromohexaetylcellulose*,
m. 194° (from $EtOH$), $[\alpha]D^{20} 35.5^\circ$. Hexaetylcellulose
(5.3 g.) in 200 cc. dry $CHCl_3$ was treated with dry Cl until
reaction was complete and was allowed to stand for 2 days
(Cl added when necessary); evapn. and addn. of petr.
ether gave 74% *1,2-diketohexaetylcellulose*, m. 106°
(from $EtOH$ -AmOH), $[\alpha]D^{20} 75.8^\circ$ (tetrachloroethane);
the latter (4 g.) in 100 cc. dry $CHCl_3$ was shaken 5 hrs.
with 1.6 g. dry Ag_2CO_3 and 0.8 g. HgO, filtered, and evapd.;
addn. of petr. ether gave 71% *2-ketohexaetylcellulose*,
m. 182° (from $EtOH$), $[\alpha]D^{20} 41.8^\circ$ (tetrachloroethane).
The latter (8.1 g.), or 8.8 g. Br deriv., and 10.5 g. 1,2-
dichlorohexaetylcellulose (or di-Br deriv.) in 70 cc.
 $CHCl_3$ were mixed with 200 cc. H_2O and 30 g. fresh Pb
oxide and heated to 100° 30 hrs. with stirring; after filtration,
the org. layer was extd. with org. solvents to remove
reducing substances, then evapd. and again treated with
org. solvents; the residue in 300 cc. H_2O was freed of Pb
with H_2S and the residue, after repeated evapn. with H_2O ,
was taken up in 100 cc. H_2O , decolorized, and heated with
 $CaCO_3$; after filtration and evapn., the residue with
 $EtOH$ yielded *Ca orthocellulosaccharate* (60%); use of
 Na_2CO_3 in the above gave the *Ba salt*. Decompr. of these
with $(CO_2)H_2$ or H_2SO_4 , resp., gave on evapn. m. 160-10
the lactone of *orthocellulosaccharic acid*, m. 173-4°, $[\alpha]D^{20}$
35.8° (in H_2O), identical with I; *phenylhydrazone* m.

187 AND 188 OF THIS

PROCESSES AND PROPERTIES INDEX

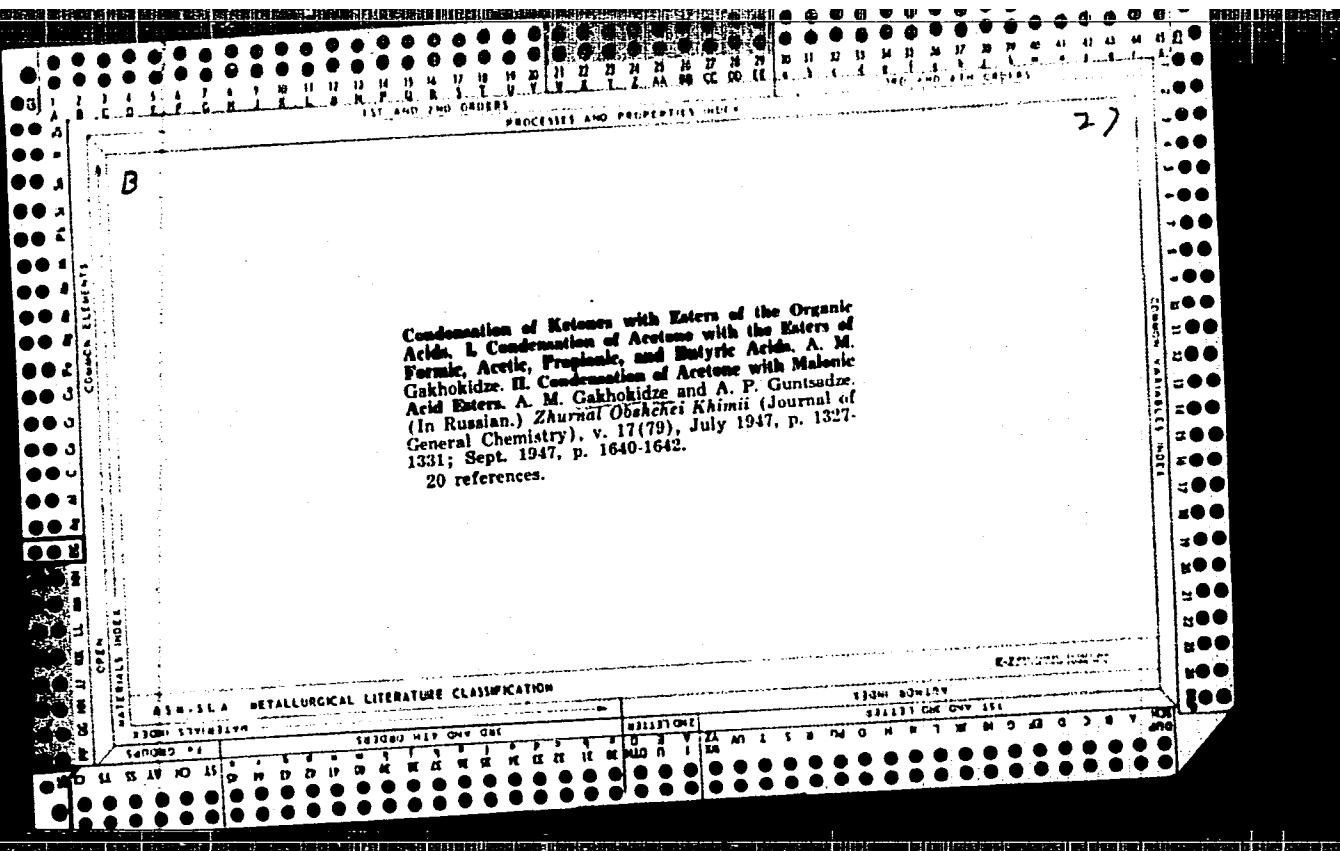
191°. The acid (2.1 g.), boiled 1 hr. in 20% H_2SO_4 , and neutralized with $BaCO_3$, after filtration and evapn., and addn. of $BuOH$, gave *Ba orthoglucofuranosaccharate*, while the mother liquor on heating with $Pb(NHNH_2)_2$ gave the *glucosamine*, m. 203°. I, methylated with Me_3SO in the presence of NaOH, then with MeI, yielded 3,6-dimethyl-*Me-ester of the hepta-Me derivative*, α_D^{25} 1.6048, d. 0.9743, [α_D^{25}] -82.02° ($CHCl_3$); hydrolysis by boiling with dil. H_2SO_4 , followed by neutralization with $BaCO_3$, followed by concn. and evapn., with $CHCl_3$, gave 2,3,4,6-tetraethylglucoside, m. 187°, α_D^{25} 83.4° (in EtOH), while the mother liquor, on evapn., and addn. of EtOH, gave *Bu 3,6-dimethyl-orthoglucofuranosaccharate*, which after decumpn. with H_2SO_4 , filtration, and evapn., gave the γ lactone of 3,5,6-trimethylglucoglucofuranic acid, m. 188°, α_D^{25} 88.6°. Methylation of the latter (no method given) gave *Me 3,5,6-trimethylglucoglucofuranic acid*, m. 191°, α_D^{25} 81.2° (in EtOH). G. M. Kosolapoff

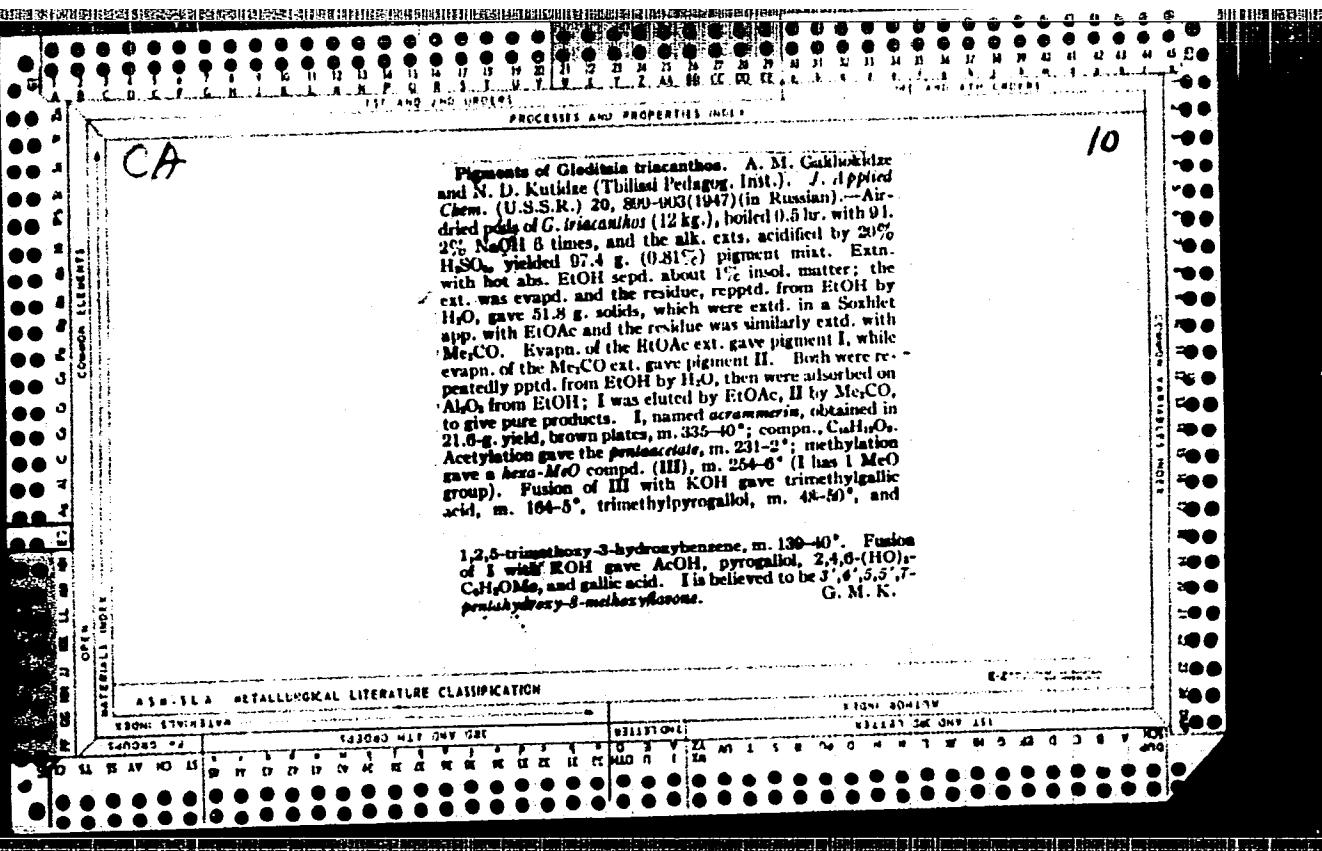
G. M. Kosolapoff

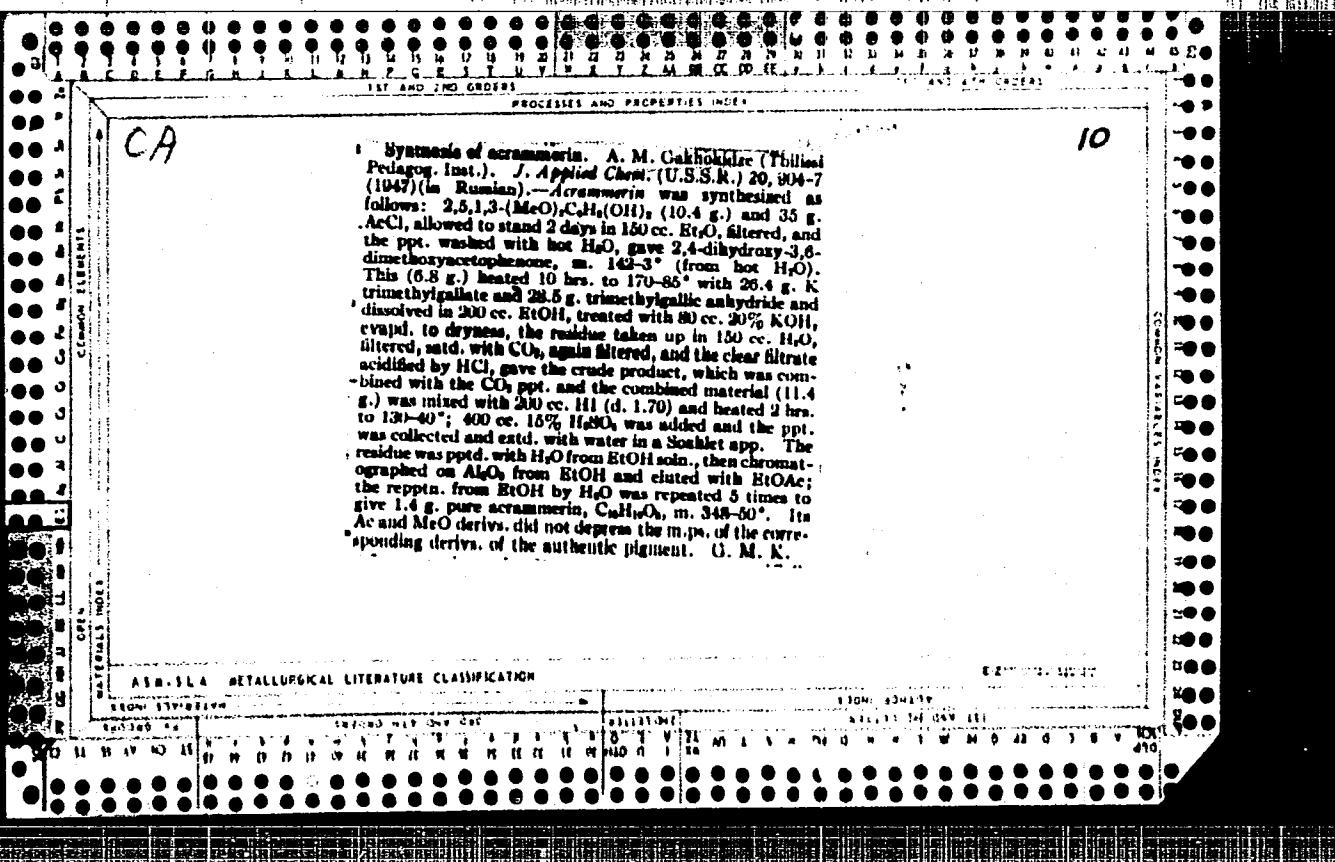
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GAKHOKIDZE, A. M.

Gakhokidze, A. M. "Condensation of an acetone, methyl-ethyl ketone and acetophenone with esters of succinic acid," Trudy Tbilis. gos. ped. in-ta im. Pushkina, Vol. V, 1948, p. 41-47 - Resume in Georgian language - Bibliog: 11 items

SO: U-3264, 10 April 1953, (Letopis 'Zhurnal 'nykh Statey, no. 3; 1949).

GAKBOKIDZE, A.M.; GUNTSADZE, A.G.

Magnesium organic synthesis of saccharinic acid from d-xylose. Soob.
AN Gruz.SSR 9 no.2:115-119 '48. (MIRA 9:7)

1.Akademiya nauk Gruzinskey SSR, Khimicheskiy institut, Tbilisi.
Predstavlene deystvitel'nym chlenom Akademii I.G.Kutateladze.
(Xylose) (Saccharinic acids)

GAKhakidze, A. N.

4

Synthesis of galactosido-2-glucosylglucoside. A. M. Galikhidze
 (Chem. Pharm. Inst., Tbilisi). Soobshchenie Akademii Nauk Gruzii. S.S.R. 9, No. 9/10, 501-6 (1948).—1-Bromo-*tetraacetylgalactose*, m. 92-3° (from galactose pentacetate) (30 g.) in 150 ml. dry Et_2O was treated with 10 g. fresh, dried Ag_2CO_3 and 0.6 ml. H_2O and shaken 2-3 hrs. Evapn. of the org. layer and extn. with warm Et_2O gave 1,3,4,6-tetraacetylgalactose (I), 60%, m. 107°, $[\alpha]_D^{25} 21.3^\circ$ (EtOH). Heating 19.5 g. pentaacetylglucose with 52 g. PCl_5 8 hrs. on a steam bath, followed by vacuum distn. of low-boiling materials gave 30-45% 1-chloro-2-trichloroacetyl-3,4,6-triacetylglucose, m. 140°, $[\alpha]_D^{25} 0.41^\circ$ (C_4H_8) (from AmOH and Et_2O); the product reduces Fehling soln. and gives a ppt. with AgNO_3 . This (15 g.) in 250 ml. dry Et_2O said. with

NH_3 at 0° shaken while soln. took place, followed by sepn. of crystals, gave after evapn. of the solvent 55% 1-chloro-3,4,6-triacetylglucose, m. 150-80°, $[\alpha]_D^{25} 10.1^\circ$ (EtOAc), which reduces Fehling soln. which lnts. This (10 g.) in 300 ml. dry Et_2O was treated with 10.6 g. dry AgOAc and shaken 2 hrs; in the cold yielding 59% 1,3,4,6-tetraacetylglucose, m. 138° (from EtOH), which (17.4 g.) with 17.1 g. I in 300 ml. dry CHCl_3 with 4 g. ZnCl_2 was shaken 5 hrs, filtered from ZnCl_2 , treated with 75 g. P_2O_5 and shaken 20 hrs., filtered and evapd., yielding a mixt. of 3 acetates. The initial acetates were removed by heating with a little H_2O in which they dissolved; the residual matter was treated 3-4 times with hot H_2O , yielding finally 1,3,4,6-tetracetylegalactosido-3-(1,3,4,6-tetraacetylglucosyl), m. 106°, $[\alpha]_D^{25} -12.3^\circ$ (MeOH) (from MeOH). This (13 g.) in 30 ml. CHCl_3 was chilled to -20°, treated with 2 g. Na to 70 ml. MeOH , cooled 20 min., treated with 45 ml. cold H_2O , shaken well, neutralized with AcOH , evapd., and treated with EtOH , yielding (1,3)-galactoside-2-L,D-glucosyl, m. 173-4°, $[\alpha]_D^{25} -12.5^\circ$ (H_2O) (from EtOH). The product contains 1 mole H_2O , lost in vacuo at 80°.

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Saccharinic rearrangement of disaccharides. III. Isomerization of maltose to orthomaltosaccharic acid. A. M. Gakhnikidze (Tbilisi Pedagog. Inst.). *J. Gen. Chem. U.S.S.R.* 18, 60-7 (1948) (in Russian); cf. *C.A.* 41, 62089, 62090. — Maltose, m. 109°, $[\alpha]_D^{25}$ 139.8° (H₂O), 62089, 62090. — Maltose, m. 109°, $[\alpha]_D^{25}$ 139.8° (H₂O), 62089, 62090. — Maltose, m. 127° (from EtOH), $[\alpha]_D^{25}$ 122.1° (CHCl₃), which with AcOH treated with HBr gave acetoxymaltofuranose, m. 113-14°, $[\alpha]_D^{25}$ 180.4° (CHCl₃). This (35.5 g.) in 500 ml. 50% AcOH shaken with 85 g. Zn dust with cooling 2 hrs., and the dild. soln. extd. with CHCl₃, gave, on evapn. of the ext., 70% hexaacetylmalta, m. 132-6° (from EtOH), $[\alpha]_D^{25}$ -22.5° (CHCl₃). This (0.2 g.) treated in 100 ml. CHCl₃, with strong cooling, with 0.8 g. Na in 70 ml. MeOH, shaken in the cold 1 hr., poured into ice water, the aq.-sol. layer sepd. from the CHCl₃ layer, neutralized by AcOH, evapd. *in vacuo*, and the residue, dild. with a little H₂O and ptd. with abs. EtOH, gave 72% maltal, m. 176°, $[\alpha]_D^{25}$ 1.16° (H₂O). Hexaacetylmalta (4.4 g.) in 100 ml. AcOH was ozonized, giving (22%), α -glucosido-3-arabinose hexaacetate, m. 153°, $[\alpha]_D^{25}$ -42° (CHCl₃), which was hydrolyzed by Zemplen's method to α -glucosido-3-arabinose, m. 172°, $[\alpha]_D^{25}$ 10.5° (H₂O); phenyllosazone, m. 190°. Maltal (2.8 g.) in 250 ml. 3% H₂SO₄ allowed to stand 2 days, then warmed to 80-90°, freed of SO₂ by addn. of BaCl₂, filtered, and rapidly evapd. *in vacuo*, gave 72% 2-desoxymaltose, m. 182° (from H₂O); $[\alpha]_D^{25}$ 30.4°; phenylhydrazone, m. 201°; hepta-Ac derivative (after acetylation in the presence of NaOAc), m. 167°, gives hexaacetyl-2-desoxycellobiose, m. 183°, with moist AgCO₃. 2-Desoxymaltose (1.5 g.) in 250 ml. H₂O treated with 3 g. Br, kept in sunlight with occasional shaking

and addn. of CuCO₃, filtered, and the filtrate concd. and treated with abs. EtOH, gave *Ca*-2-desoxymaltobionic acid, which was filtered off and dried, treatment of this with the calcd. amt. of (CO₂H)₄ and evapn. of the filtrate gave the lactone of 2-desoxymaltobionic acid, m. 143°, $[\alpha]_D^{25}$ 21.4°. Hexaacetylmalta (12.4 g.) in 250 ml. CHCl₃ treated with Cl until a sample no longer reacted with Br, let stand overnight, again treated with a little Cl, and evapd., gave 70% 1,2-dichlorohexaacetylmalta, m. 159°, $[\alpha]_D^{25}$ 43.4° (tetrachloroethane). This (9.2 g.), shaken in 120 ml. CHCl₃ 5 hrs. with 1.6 g. AgCO₃ and 1 ml. H₂O, gave, on filtration and evapn., 60% 2-chlorohexaacetylmalta, m. 107° (from CHCl₃-petr. ether), $[\alpha]_D^{25}$ 24.8° (in tetrachloroethane). This (5.2 g.) shaken at 30-70° in 50 ml. CHCl₃ with 500 ml. H₂O and 20 g. fresh Pb oxide and then at 80-90° until the soln. was free of Cl, the filtered soln. freed of reducing substances by extn. with org. solvents (unstated), the evapd. soln. dried *in vacuo*, and the residue taken up in H₂O, treated with H₂S, filtered, and evapd., gave the *Ca* salt of orthomaltosaccharic acid, which on treatment with the calcd. amt. of (CO₂H)₄, filtration, and evapn., gave 90% lactone of orthomaltosaccharic acid, m. 168°, $[\alpha]_D^{25}$ 28.6° (H₂O); phenylhydrazone, m. 184°; the *Ba* and *Ag* salts were prep'd. The acid (1.3 g.) in 200 ml. 5% H₂SO₄ boiled 1 hr., neutralized by CaCO₃, and evapd., gave, on treatment with EtOH, *Ca*-orthoglucofuranose, which with (CO₂H)₄ gave the lactone of orthoglucofuranose, m. 147°, $[\alpha]_D^{25}$ 30.8°. *Ca* ortho-maltofuranose (1.4 g.) and 150 ml. Me₂SO₂ treated with 70 ml. 20% NaOH, the product extd. with CHCl₃, the ext. evapd., heated with 35 g. Mel in the presence of AgCO₃, extd. with CHCl₃, and the ext. evapd., gave methylated orthomaltosaccharic acid, m. 147°, $[\alpha]_D^{25}$ 1.4987, d₂₅²⁵ 0.9849, $[\alpha]_D^{25}$ -47.1° (CHCl₃), which on hydrolysis gave 3,5,6-trimethylorthoglucofuranose (isolated as the anilide salt) and 2,3,4,6-tetramethylglucose (isolated as the anilide salt), m. 130°, $[\alpha]_D^{25}$ 232.4° (in Me₂CO). 2-Desoxymaltobionic acid was found to be identical with orthomaltosaccharic acid.

G. M. Kosolapoff

GACHOKIDZE, A. N.

26219 Sintez oksikislet. Soobshch. Akad. nauk Gruz. SSSR, 1940, 4, s. 193-96

SO: LETOPIS' NO. 35, 1940

GAKHOKIDZE, A.

24034 GAKHOKIDZE, A. Issledovaniye krasitelya tungovykh seryan. Trudy Tbilis.
Gos. Ped. IN-TA im. Pushkina, T. VI, 1949, S. 303-06. - Rezyume na Gruz.
Yaz.

SO: Letopis, No. 32, 1949.

GAMKVIDZE, A. -.

23940 GAMKVIDZE, A. A. Opredeleniye Stroyeniya Melibiozy. Trudy Tbilis. CCS.
Fiz. IM-TA IM. Pushkina, T. VI, 1949, S. 307-13. -- Rezyume ka.

SO: Letopis, No. 32, 1949.

GAKHOKIDZE, A. M.

23939 GAKHOKIDZE, A. M. Opredeleniye Stroyeniya Gentsiobiozy. Trudy Tbilis.
Gos. PED. IN-TA EM. Pushkinska, T. VI, 1949, S. 315-20.
--Rezume Na Gruz. Yaz.

SO: Letopis, No. 32, 1949.

CA

10

Mechanism of formation of organic acids in plants.
A. M. Gokhaleidze (Chem.-Pharm. Inst., Tbilisi). *Sobr. zshcheniy Akad. Nauk Gruzinskoi S.S.R.*, **10**, No. 1, 25-31 (1949). - In formation of citric acid the sugar mol. is oxidized through gluconic and β -ketogluconic acids to acetone dicarboxylic acid and HCO_3H , and the last 2 acids condense to form citric acid. Other org. acids also form through β -ketogluconic acid, which is split between the 4th and 5th C atoms. This mechanism is supported by formation of tri- Et citrate from $\text{CO}(\text{CH}_2\text{CO}_2\text{Et})_2$ and HCO_3H in the presence of powd. KOH, and by formation of citric acid from $\text{CO}(\text{CH}_2\text{CO}_2\text{Et})_2$ and HCO_3H by *Aspergillus niger* cultures. β -Ketogluconic acid can be also cleaved at the 4-5 positions yielding tartaric and glycemic acids, the latter then going to $(\text{CO}_2\text{Et})_2$.
C. V. Kostlapoff

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CIA-RDP86-00513R000614010019-9

Chavchavadze, A.M.
Synthesis of galactosido- β -glucose. Soobshcheniya Akad. Nauk Gruzinskoy S.S.R. 10, No.2, 85-90 '49.
(CA 47 no.14:6875 '53) (MLRA 4:7)

1. Chem.Pharm.Inst., Tiflis.

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CIA-RDP86-00513R000614010019-9"

Saccharic rearrangement of bioses. IV. Isomerization of glucosido-*3*-glucose into biosaccharic acid. A. M. Gakhokidze, Zhar. Obshch. Khim. (J. Gen. Chem.) 19, 2082 (1949); cf. C.I. 42, 4048. Acetyl bromogluco-*3*-glucose (50.5 g.) shaken 2 hrs. with 200 ml. 60% AgOH and 40 g. Zn dust gave upon dilut. and extn. with CHCl_3 , 78%, *hexadecylglucosido-3-glucal* (I), m. 109° (from EtOH), $[\alpha]_D^{25} 18.1^\circ$ (CHCl_3). 1 (6.5 g.) ozonized in AcOH and refined with Et_2O and 60 g. Zn dust gave 99%, *hexadecylglucosido-2-arabinose*, m. 142° (from EtOH), $[\alpha]_D^{25} 25.8^\circ$ (CHCl_3), which (1.1 g.) treated in 100 ml. abs. EtOH with 1.1 g. Na in 100 ml. EtOH and shaken 1 hr.,稀释 with H_2O , neutralized with AcOH , evapd. to *meat*, and let stand 3 days with excess H_2O in light gave *Ca glucosido-2-sorabonate* (from dil. EtOH). Glucosido-*3*-glucal (3.1 g.) by hydrolysis of 1 mmol. of H_2SO_4 , let stand 2 days, neutralized with BaCO_3 , and evapd. gave 77%, *Glucosido-3-(2-deoxyglucose)*, m. 188° (from dil. EtOH), $[\alpha]_D^{25} 22.6^\circ$ (*hexadecylglucosido-3-(2-deoxyglucose)*, m. 186.1°), which heated with $\text{Ac}_2\text{O}-\text{NaOAc}$ gave *heptadecylglucosido-3-(2-deoxyglucose)*, m. 175.6°, while treatment with Br_2 water for 2 days gave on neutralization with CaCO_3 the *ca. glucosido-2-deoxy-*, *the free acid*, from the *Ca salt* with $(\text{CO})_2\text{H}_2$,

forms a lactone (II), m. 131.2°, $[\alpha]_D^{25} 42.4^\circ$ (H_2O). Bromination of I in CHCl_3 (3 days) gave 73% *1,2-di-EtOAc-3-hexadecylglucosido-3-glucal*, m. 150° (from EtOH - AmOH), $[\alpha]_D^{25} 10.0^\circ$, which darkens in air, losing HBr . Chlorination of *hexadecylglucosido-3-glucal* in cold CHCl_3 gave 79%, *1,2-dichlorohexadecylglucosido-3-glucal*, m. 101-2° (from EtOH-AmOH), $[\alpha]_D^{25} 54.2^\circ$ (CHCl_3 - CHCl_2); this (10.8 g.) shaken with 5.8 g. moist AgCO_3 in CHCl_3 5 hrs. gave 75% *2,3-hexadecylglucosido-3-glucone*, m. 109° (from EtOH), $[\alpha]_D^{25} 39.8^\circ$ (CHCl_3). This (7.0 g.) in 50 ml. CHCl_3 heated with 3 g. PbO and 400 μl . H_2O 30-5 hrs. at 60-100° (gradually rising temp.), filtered, freed of Pb with H_2S , and treated with CaCO_3 gave 70%, *Ca glucosido-3-glucosaccharate* (from dil. EtOH), which with $(\text{CO})_2\text{H}_2$ gave II, its *phenylhydrazone*, m. 178-80°. The *Ca salt* (in 1.8% with Me_2SO) in the presence of alkali gave 8.0 g. (68%) *methylated acid*, $\text{C}_{17}\text{H}_{34}\text{O}_6$, $[\alpha]_D^{25} 1.4087$, $[\alpha]_D^{25} 12.5^\circ$ (CHCl_3), which with boiling dil. H_2SO_4 gave *2,3,4,6-tetraacetylglucurone*, m. 91-3°, and *methylated orthophenoxy saccharic acid*, isolated as the *Pb salt*, ($\text{C}_{17}\text{H}_{34}\text{O}_6$).

G. M. Korsakoff

10

Determination of structure of disaccharides. I. Determination of structure of α -D-glucosido- β (1,3)-D-glucose. A. M. Galaktionov, Zhar. Obshch. Khim., 16, 2100 (1940). Octaacetylglucosido-D-glucose gives, on standing 3 hrs in AcOH with HgCl₂, β -D-*methoxyglucosido-D-glucose, m. 102°, [α]_D 11.8°, which, shaken 2 hrs with Zn dust in 80% AcOH, gives 80% hexaacetylglucosido-D-glucal, m. 100°, [α]_D 18.1° (from EtOH); this (42.1 g.) in CHCl₃ shaken with 100 ml. 2% EtONa 2 hrs, gave glucosido-D-glucal, m. 160-2°, [α]_D 34.8°, oxidized by 8% KMnO₄ at room temp. to α -D-glucosido-2-arabinic acid, isolated as the Cu salt. This (11.8 g.) and 100 g. Me₂SO₄ in the presence of 25% NaOH gave 75% *Me*-heptamethylglucosido-2-arabinate, syrup, which on brief boiling with 5% H₂SO₄ gave β -D-trimethyl-p-arabinic acid (81%), isolated as Cu salt, converted by H₂O₂ in the presence of Fe acetate, followed by H₂ water, to Cu trimethylglyphonate (from dil. H₂O₂). G. M. Kosolapoff*

Determination of the structures of disaccharides. II.
Structure of maltose. A. M. Gakhokidze, *Zhur. Obshch. Khim.* (J. Gen. Chem.) 20, 116-19 (1950); cf. C.A. 44, 3013f. Maltose is (1,6)-glucosido-4-(1,6)-glucose, as shown by the following. Maltal (84.5 g.) from maltose, via the octaacetate, acetylglucomaltose, and hexaacetylmalta) in 400 ml. H₂O and 150 ml. 5% K₂CO₃ was treated slowly at 30-50° with 4% KMnO₄ until the color persisted; evapn., taking up in 200 ml. H₂O, addn. of basic Pb acetate, treatment of the ppt. with H₂S, filtration, and neutralization with CaCO₃ gave 60% *Ca glucosido-3-arabinose*, amorphous flakes (from H₂O). This (63.6 g.) boiled 10 min. in 700 ml. H₂O with 5.0 g. BaCO₃ and 3.2 g. Fe₂(SO₄)₃ in 60 ml. H₂O, filtered, cooled, treated with 80 ml. 30% H₂O₂, followed by an addnl. 20 ml. after 3 hrs., filtered, and evapd. gave 79% *Ca gluco-2-xylose*, m.p. 141°, [α]_D 87.5° (H₂O); *hexo-4c-deoxylose* (by NaOAc-Ac₂O), m.p. 127°. Shaking 19.2 g. glucosido-2-xylose with 300 ml. Br water, letting stand 3 days in sunlight, neutralizing with CaCO₃, boiling 10 min., evapn., and adding abs. EtOH gave 77% *Ca glucido-2-xylosonate*, flakes; this (15.1 g.) in 250 ml. H₂O, fixed of Ca by (C₆H₅CO)₂O, boiled with 100 ml. 5% H₂O₂ 20 min., neutralized with CaCO₃, concd., and treated with EtOH, gave *Ca D-xylosonate*, flakes, which, after removal of the Ca by (C₆H₅CO)₂O, gave *xylosone* and *γ-tutone*, m.p. 101-2°, [α]_D -78.3° (H₂O); *phenylhydrazone*, m.p. 128-30°; the mother liquor yielded glucose. *Ca 3,4-dimethyl-D-xylosonate* (4.6 g.) in 50 ml. H₂O treated with 2 g. BaCO₃

and 1.2 g. Fe₂(SO₄)₃ in 40 ml. H₂O, and, after filtration, with 25 ml. 30% H₂O₂, then 100 ml. Br water, and neutralized with CaCO₃, yielded *Ca 2,3-dimethylglyceral*, flakes (from aq. EtOH), which with MeSO₃ in the presence of alkali gave *Me 2,3-dimethylglyceral*, b.p. 78-9°, d₄²⁰ 1.0598, [α]_D 1.4584. **III. Structure of lactose.** *Ind.* 120-3. It was shown that the 4th C atom of the reducing part of the disaccharide is involved in the linkage. Lactal (76.8 g.) with 4% KMnO₄ in 5% K₂CO₃ yielded *galactosido-3-arabinose*, isolated as the *Ca salt*, flakes (from dil. EtOH), in 45% yield after purification through the *initial Pb salt*. The product upon oxidation with H₂O₂-Fe below room temp. yielded 60% *D-galactoso-2-xylose*, m.p. 151.5°, [α]_D 22.5° (H₂O); *hexaacetate*, m.p. 138-40°. Oxidation of this with Br water in sunlight for 4 days gave *galactoso-2-xylosic acid*, isolated as the *Ca salt* (from dil. EtOH) in 64% yield; this, freed of Ca by (C₆H₅CO)₂O and boiled with 5% H₂SO₄, gave *D-xylosic acid*, isolated as the *Ca salt* and as the *lactone*, m.p. 103.4°, [α]_D -60.0° (H₂O); *phenylhydrazone*, m.p. 128-31°. The mother liquor yielded galactose. *Ca galactoso-2-xylosonate* (10.6 g.) with 100 ml. Me₂SO₃ and 25% NaOH gave 71% *Me 2,3-dimethylgalactoso-2-xylosonate*, syrup, [α]_D 1.3074. Thus (0.7 g.) boiled 20 min. with 250 ml. 5% H₂SO₄ and neutralized with CaCO₃ gave *Ca 3,4-dimethyl-D-xylosonate*, which with H₂O₂-Fe, then with Br water in the light (3 days), gave *Ca 2,3-dimethylglyceral*, flakes (from dil. EtOH), yielding with MeSO₃-NaOH *Dimethylglyceral*, b.p. 78-80°, d₄²⁰ 1.0643, [α]_D 1.4610.

G. M. Kosakoff

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13

Determination of the structures of disaccharides. IV.
Determination of the cellobiose structure. A. M. Galikidov, Zhur. Obshch. Khim. (J. Gen. Chem.) 20, 280-283 (1950); cf. C.A. 44, 5819c.—The O bridge in cellobiose is in the 1,4-positions and the disaccharide is (1,5)glucosido-4-(1,5)glucose. Cellobial (m. 173-5°, $[\alpha]_D^{25} 1.2^\circ$) (70 g.) in 500 H₂O and 200 ml. 5% K₂CO₃ treated with 3% KMnO₄ with warming, then filtered and treated with basic Pb acetate, gave Pb glucosido-3-arabonate, which on treatment with H₂S, filtration, heating in the presence of CaCO₃, and addn. of EtOH gave 71% Ca glucosido-3-arabonate; this (51.7 g.), 5 g. Ba(OAc)₂, and 2.6 g. FeI(SO₄)₂ in 800 H₂O boiled 15 min., filtered, and treated with 100 ml. 30% H₂O at room temp., and cooled, gave 38% δ -glucosido- β -erythronate, m. 140-20° (from H₂O), $[\alpha]_D^{25} 30.8^\circ$ (unethylated product, m. 128-31°); this (22.5 g.) oxidized with Br water in sunlight for 4 days gave 71% Ca glucosido-2-erythronate (from dil. EtOH), which on treatment with (CO₂H)₂ and boiling with 5% H₂SO₄ gave δ -erythrono- γ -lactone, m. 105-7 (from EtOH), $[\alpha]_D^{25} -71.4^\circ$ (phenylhydrazide, m. 128-30°), and glucose. Methylation of Ca glucosido-3-erythronate with Me₂SO₄ and 25% NaOH gave a syrupy methylation product, CaIInO₄, $[\alpha]_D^{25} -42.6^\circ$, apparently the Me ester of the hexamethyl deriv., which boiled 2 hrs. with 5% H₂SO₄ gave 18% Ca 2,3-and 2,4-dimethyl- δ -erythronate (from H₂O) which oxidized by H₂O₂ in the presence of Fe (as above) gave 2,3-dimethoxypropanoic acid (dimethylglyceric acid), isolated as the Ca salt, flakes (from dil. EtOH), and its Me ester, m. 78°, $d_4^{25} 1.0021$, n_b^{25} 1.4386.

10

Synthesis of olmelin. A. M. Gakhokidze, *Zhur. Prakt. Khim.* (J. Applied Chem.) 23, 559 (1950). *Olmelin*, identical with the natural coloring matter of *Gladitia tricolor*, was synthesized as follows. *p*-*MeOC₆H₄CH₂CN* (12.0 g.) and 15.7 g. phloroglucinol in 150 ml. dry Et₂O were added with dry HCl; let stand at 0°-30 hrs., the combined Et₂O and CHCl₃ exts. treated with 60 ml. H₂O, and the oil layer heated 2 hrs. on a steam bath, giving 11.9 g. (1.1% yield) *4,4,6-triketobenzoyle-4-methoxy-3-ketone*, m. 220 °C., 4% activation product, m. 100-2 °C., *methylated product*, C₁₄H₁₀O₅, m. 182-3 °C. The ketone (9.1 g.) and 8.5 g. Et₂OCH₃ heated with 2.1 g. powd. Na in sealed tube to 60-70° until clear and 2.5 hrs. after that, then cooled, and the residue heated with 40 ml. concd. HCl and 50 ml. EtOH 3 hrs. on a steam bath, dild. with H₂O, and exd. with CHCl₃, then with Et₂O, gave an oil, b.p. 310-352°, which cryst. on standing; this (1.31 g.; 47% yield) was pure *olmelin*, m. 289-91°, *acetylated derivative*, C₁₇H₁₈O₅, m. 105-7°; *methylated derivative*, C₁₅H₁₆O₅, m. 274-5°. The olmelin gave no m.-p. depression with an authentic sample and gave the correct mol. wt. for C₁₇H₁₈O₅ required. G. M. Kosolapoff

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4

Dyes from *Glechoma hederacea*. A. M. Gakhobidze (*J. appl. Chem. U.S.S.R.*, 1951, **22**, 747-749). It has been shown previously (*ibid.*, 1947, **20**, 699) that *Glechoma hederacea* contains two dyes. The first (akramerine), extracted with EtOAc , is $8 : 7 : 3' : 4' : 5'$ -pentahydroxymethylcyclohexene. Recently the second dye extracted with CO_2H_2 , and called ometine, has been investigated by methylation, acetylation, and fusing with KOH. Ometine is $3 : 7$ -dihydroxy-4'-methoxyisoflavanone. By fusing with KOH, ometine gives: HCO_2H , $2 : 4 : 6$ -trihydroxyphenyl (4'-methoxybenzyl) ketone, phloroglucinol, and *p*-methoxyphenylacetic acid.
J. B. J. ZABA.

Proprietary Material

CA

Synthesis of disaccharides. VI. Synthesis of glucose-2-galactose. A. M. Gukhorkina and N. D. Kutidze (Tbilisi and Sukhumi Pedagog. Instit.). *Zhur. Obshchey Khim.* (J. Gen. Chem.) 22, V(3)-4(1952).—Phenylacetyl galactose (117 g.) and 200 g. PCl_5 heated 3 hrs. at 100°, distilled under 2 mm. (temp. not given), and the oily product treated with 10 ml. AmOH yielded 46% *D*-galacto-2-(trichloroacetyl)-3,6,6-triacetylgalactose, m. 130–6°, $[\alpha]_D^{25}$ 10.4° (C_2H_5). This (88 g.), in 400 ml. dry Et_2O sntd. at 0° with NH_3 , kept 8 hrs. at room temp., chilled, filtered from the NH_3 salts, and evapd. gave 50% *D*-chloro-3,6,6-triacetylgalactose, m. 150–67° (from EtOH), $[\alpha]_D^{25}$ 20.1° (EtOAc). This (16.2 g.) in 200 ml. Et_2O shaken 2 hrs. with 16.6 g. AgOAc , evapd., and the residue extd. with CHCl_3 and Et_2O , and the ext. evapd. gave 74% *D*,*L*-tetraacetylgalactose, m. 128°, $[\alpha]_D^{25}$ 11.7° (EtOH). This (12.5 g.) and 12.5 g. 2,3,4,6-tetramethylglucosine shaken 5 hrs. in CHCl_3 with 5 g. ZnCl_2 , filtered, and treated with 15 g. P_2O_5 , and shaken 5 hrs., gave 81% *D*-glucosido-2-(*D*,*L*-galactose octaacetate), m. 179° (from EtOH). This (20 g.) in 150 ml. CHCl_3 shaken 2 hrs. with 0.7 g. Na in 100 ml. MeOH , treated with 30 ml. H_2O , shaken, neutralized with AcOH , the aq. alc. layer evapd., the residue treated with 200 ml. MeOH and 200 ml. Me_2CO , filtered, and the residue extd. with the min. amt. of H_2O , and 40 ml. AcOH added, gave 81% *D*(*D*)-glucosido- H_2O , and 40 ml. AcOH added, gave 81% *D*(*D*)-phenylacetyl-2(*D*,*L*)-galactose, m. 171–2°, $[\alpha]_D^{25}$ 42.6° (H_2O); phenylacetyl-drazone, m. 181°. Oxidation of the disaccharide with Br_2 in water gave glucosido-2-galactonic acid, isolated as the Ca^{++} salt (from dil. EtOH). Hydrolysis of this with 5% H_2SO_4 gave galactonic acid, isolated as the Ca^{++} salt (from H_2O). Oxidation of *Cu* glucosido-2-galactonate with 30% H_2O_2 in the presence of Fe^{+++} gave glucosido-L-glycero-2,6-diacetate, m. 130–41°, $[\alpha]_D^{25}$ 5.4° (H_2O); heptaacetate, m. 147–9°. Glucosido-2-galactose with MeSO_2 in 25% NaOH at 40–60° yields the *alpha*-*D*-ether, be unstated temp., $[\alpha]_D^{25}$ 1.4712, $[\alpha]_D^{25}$ –22.7° (CHCl_3), after further treatment with $\text{Me}-\text{AgCO}_3$. Hydrolysis of the methylated product 3 hrs. at 10–100° in 5% HCl gave 2,3,4,6-tetramethylglucose, m. 91–5°, $[\alpha]_D^{25}$ 84.5°.

amide, m. 137-8°, while the filtrate, treated with Br water, with $\text{Pb}(\text{OAc})_4$ and CaCO_3 , gave $\text{CaJ,6-O-acetylgalactoside}$, converted to the lactone of the free acid, $[\alpha]_D^{25} 104.8^\circ$, changing to 24.8° in 2 min. in H_2O . Methylation of the lactone gave the δ -lactone of $2,3,6$ -tetraacetyl- δ -galactonic acid, m. 109-1°; amide, m. 119-9°. VII. Synthesis of mannido-2-mannose. *Ibid.* 247-81.—*1-Bromodextrorotamnose*, m. 52-3° (30 g.), treated slowly in H_2O with 10 g. fresh dried Ag_2O and 1.5 ml. H_2O and the mixt. shaken 2 hrs. gave 72% $2,3,4,6$ -tetraacetylmannose (I), m. 94°, $[\alpha]_D^{25} 25.5^\circ$. Pentaacetylmannose (75 g.) and 130 g. PCl_5 heated 3 hrs. at 100°, and the mixt. concd. in vacuo and treated with AmOH gave 56% *1-chloro-2-(trichloroacetyl)-J,4,6-triacetylmannose*, m. 134-0°, $[\alpha]_D^{25} 11.7^\circ$ (CHCl_3). This (50 g.) treated with 300 ml. dry Et_2O add. with NH_3 and shaken 5 min. gave 88% *1-chloro-3,4,6-triacetylmannose*, m. 151-2° (from EtOH), $[\alpha]_D^{25} 17.1^\circ$, reduces hot Fehling soln. and gives a ppt. of AgCl with AgNO_3 ; shaken with dry AgOAc in Et_2O 2 hrs. in the cold it yields 86% *1,J,4,6-tetraacetylmannose*, m. 131°. This (20.8 g.) and 20.8 g. I in dry CHCl_3 shaken 5 hrs. with 40 g. ZnCl_2 and 4 g. SnCl_4 , filtered, and the filtrate shaken 10 hrs. with 30 g. P_2O_5 , filtered, and concd. gave 81% *octaacetylmannido-2-mannose*, m. 153° (from EtOH). $[\alpha]_D^{25} 19.2^\circ$. The product (36

g.) in dry CHCl_3 treated at 10° with 0.9 g. Na in 200 ml. dry MeOH , shaken 2 hrs., then treated with 100 ml. H_2O , neutralized with AcOH , and the aq.-alc. layer concd. gave 81% (1,5)-mannido-*(1,3)-mannose*, m. 141-3°, $[\alpha]_D^{25} 24.5^\circ$ (from dil. AcOH). Oxidation of this with Br water 3 days in sunlight gave mannido-2-mannose acid, isolated as the Ca salt (from H_2O). This, oxidized with H_2O_2 in the presence of $\text{Fe}(\text{SO}_4)_2$ and $\text{Ba}(\text{OAc})_2$ and treated with $\text{AcO}-\text{AcONa}$, gave *heptaacetylmannido-D-arabinose*, m. 147-9° (from EtOH); the deacetylated product does not react with Fehling soln. nor with Tolman reagent. Mannido-2-mannose with Me_2SO_4 in 23% NaOH gave 54% *octa-Me-deriv.*, distillable at 2 mm., $[\alpha]_D^{25} 1.4661$, $[\alpha]_D^{25} -13.6^\circ$. This, heated 3 hrs. in much 3% HCl and CHCl_3 gave *2,3,4,6-tetraacetylmannose*, m. 50-1°, $[\alpha]_D^{25} 27.4^\circ$; amide, m. 143-5°, $[\alpha]_D^{25} -8.0^\circ$. The mother liquor, after sepn. of the tetra-Me deriv., oxidized with Br water 3 days in sunlight, yielded *3,4,6-triacetylmannonic acid*, isolated as the Ca salt (from aq. EtOH), which with $(\text{CO}_2\text{H})_2$ gave the δ -lactone of *3,4,6-triacetylmannonic acid*, m. 85-6°, whose d-rotation changes very rapidly in aq. soln.; *phosphhydrane*, m. 130-40°. G. M. Kosolapoff

[No. 2]

Isomerization of disaccharides. I. Isomerization of glucosido- β -glucoside. A. M. Gakhkashvili and I. A. Gvelikhashvili (Tbilisi Pedagog. Inst.), Zhar. Osnovch. Khim., (J. Gen. Chem.) 22, 143-7 (1952).—Shaking acetylated glucosido- β -glucoside with potassium in CHCl_3 10 days in the cold yields glucosido- α -mannose acetate, m. 142-3°, $[\alpha]_D^{25} -33.6^\circ$. Hydrolysis yields the free disaccharide, m. 165°, $[\alpha]_D^{25} 27.9^\circ$. This, oxidized with Br water 3 days in sunlight, gave 81% glucosido- β -mannonic acid, isolated as the Cu salt (from H_2O); free acid, syrup, which, boiled with 6% H_2SO_4 , gave manonic acid, isolated as the Cu salt (from H_2O), and glucose, isolated as the phenylglycosonamine, m. 204-6°. Oxidation of glucosido- β -mannonic acid with H_2O_2 in the presence of Fe^{++} gave glucosido- β -D-arabinose, 30%, m. 149-50°, $[\alpha]_D^{25} 29.5^\circ$; phenylhydrazine, m. 177-81°. Acetylation of this disaccharide gave the arabinoside, m. 138-40°, $[\alpha]_D^{25} 46.6^\circ$. Boiling glucosido- β -mannonic acid with dil. H_2SO_4 gave glucose and manonic acid, isolated as the Cu salt, which on acidification yielded the lactone, m. 149-50°, $[\alpha]_D^{25} 80.8^\circ$; phenylhydrazide, m. 213-14°, $[\alpha]_D^{25} 15.8^\circ$. Tetracetate of the lactone, m. 119-20°, $[\alpha]_D^{25} 61.4^\circ$. Refining 20 g. glucosido- β -glucoside with 10 g. NaOAc and 130 g. Ac_2O 3 hrs. and treatment with cold H_2O gave 78% arabinoside, m. 149-50°. II. Isomerization of galactosido- β -glucoside.

A. M. Gakhkashvili and R. G. Kobiashvili (ibid., 244-7).—Shaking 25.8 g. galactosido- β -glucoside acetate in 300 ml. dry CHCl_3 with 100 g. dry Ascarite 10 days in the cold, warming to 20°, evapg., and chromatographing on Al_2O_3 , gave β -galacturononanone, m. 130°, $[\alpha]_D^{25} 34.8^\circ$, after hydrolysis of the corresponding arabinoside, m. 151-2°, $[\alpha]_D^{25} 41.3^\circ$. Oxidation of the new disaccharide with Br water 5 days in the light gave 78% Cu- β -galacturononanone (I). The free syrupy acid, heated with 5% H_2SO_4 and neutralized with CaCO_3 , yields Cu-mannoside, which with $(\text{CO}_2\text{H})_2$ gives the lactone of manonic acid, m. 149-50°, $[\alpha]_D^{25} 30.8^\circ$; phenylhydrazide, m. 213-14°, $[\alpha]_D^{25} -15.8^\circ$. The mother liquor after evapn. of the lactone, contains galactose, as shown by its reaction with PhNH_2NH_2 , to yield the lactose, m. 194-6°. Oxidation of 5.1 g. I in 100 ml. H_2O with 1.2 g. ferric sulfate, 1.6 g. Ba(OAc)_2 , and 40 ml. 30% H_2O_2 gave 53% galactosido- β -D-arabinose (II), m. 143-4°, $[\alpha]_D^{25} 34.4^\circ$, which with PhNH_2NH_2 gave the hydrazide, m. 184-5° (from B(OH)_3). Acetylation of II gave the hydronate, m. 139-42°, $[\alpha]_D^{25} 40.6^\circ$. Thus, the O bridge does not change location. G. M. K.

USSR/Chemistry-Beta-Hydroxy Acids

Apr 52

"The Problem of Preparing β -Hydroxyacids: Some Remarks on the Articles of A. M. Gakhokidze, "Condensation of Ketones With Esters of Organic Acids," H. S. Vul'fson

"Zhur Obshch Khim" Vol XXII, No 4, pp 718-720

In repeating Gakhokidze's expts on producing β -hydroxy acids, his findings were not confirmed. The consts of the original malonic ester cited by Gakhokidze do not agree with the consts of the diethyl and dimethyl esters of malonic acid. The consts of diethyl ester of isopropylidene malonic acid cited by the authors do not correspond to the

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consts given for this compd. Gakhokidze and Gundz's suggested method for sepg hydroxy acids by saponification with alcoholic alkali was not applied, because these substances decomp easily.

GAKHOKIDZE, A.M.

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GAKHOKIDZE, A.M.

Contribution of Georgian scientists to the development of chemistry
in the last 40 years. Zhur.ob.khim. 31 no.6:I-VI Je '61.
(MIRA 14:6)

(Georgia—Chemistry)

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[Praktikum po organicheskoi i biologicheskoi khimii. Tbilisi, Gos.izd-vo "TSodna,"] 1963. 210 p. [In Georgian]
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[Organic and biological chemistry] [Organicheskaya i
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1. TSentral'nyy institut mekhanizatsii i elektrifikatsii sel'skogo khozyaystva nechernozemnoy zony SSSR.
(Electric lighting--Standards)

GAKHOV, A.G.

Development of lighting engineering norms. Svetotekhnika 9
no.8:27 Ag '63. (MIRA 16:8)

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GAKHOV, F. D.

Gakhov, F. D. On Riemann's boundary problem for a system of ¹ pairs of functions. Doklady Akad. Nauk SSSR (N.S.) 67, 601-604 (1949). (Russian)
 Let L be a system of simple closed, suitably smooth curves, bounding a connected domain S^+ and the complementary region S^- . The Riemann problem is to find functions $\varphi_+(z), \varphi_-(z) (z = 1, \dots, n)$, analytic in S^+, S^- respectively, such that (1) $\varphi_+^n = \sum a_k z^k + b$ (on L), where a_k and b being a.s.g. ^d of a Hölder class on L , $\det |a_k| < \infty$ (on L). With the aid of vector and matrix notation (1) is written as (1') $\varphi_+^n = A\varphi_- + b$. The fundamental problem is to construct a canonical solution, whose determinant is not 0 for a finite and the sum of whose orders at ∞ is equal to the order (at ∞) of $|A|$. The author solves the Riemann problem when A is the product of matrices G^+, G^- , consisting of boundary values of functions analytic in S^+ and S^- respectively: (2) $\varphi_+^n = Q\varphi_- + p$. A typical result is as follows. Let $\text{Ind} |G^+(z)| = m$ (that is, $|G^+(z)|$ has ²⁰⁰ zeros in S^+); then $Q = X^*Q$, where the elements of $X(z)$ are of the same character as in G^+ , while $Q(z)$ is a polynomial matrix, the zeros of $|Q(z)|$ being coincident with those of $|X^*(z)|$. The particular indices are the orders at infinity of the solutions of the canonical system, with signs reversed.
 After a canonical system $X(z)$ is found, the general solution of the homogeneous equation $\varphi = XP$ can be constructed: here P is a vector whose elements are polynomials with powers equal to the particular indices, diminished by unity (when $m - 1 < 0$, the polynomial is identically zero). The general solution of the nonhomogeneous problem given by $\varphi(z) = X(z)[C\varphi_0] - [f[X^+(z)] - g(z)(c - d) - d + P]/[W]$, ¹ f is a function. (Utkin, III)

Source: Mathematical Reviews,

Vol. 11

No. 3

GAKHOV, F.D.

Gakhov, F. D. On a case of Riemann's boundary problem for systems of n pairs of functions. Izvestiya Akad. Nauk SSSR. Ser. Mat. 14, 549-568 (1950). (Russian)

This is a detailed account of the results announced in an earlier paper [Doklady Akad. Nauk SSSR (N.S.) 67, 601-604 (1949); these Rev. 11, 169]. A somewhat more general case is considered insofar as the matrix Ω is assumed to consist of boundary values of functions that are analytic in the finite part of S but may have poles at infinity. Correspondingly, the solutions are permitted to have poles at infinity. The author also considers the case where the determinant of the coefficient matrix has zeros on the boundary. The solution of the problem is based on a transformation of the boundary conditions to a canonical form, which is similar to the transformation of the basis of an algebraic field to normal form as used in the theory of algebraic functions.

M. Golomb (Lafayette Ind.).

Source: Mathematical Reviews. Vol 12 No. 6

USSR/Mathematics - Bibliography Sep/Oct 51

"Criticism and Bibliography," S. G. Mikhlin, F. D. Gakhov, M. A. Naymark

"Uspekhi Matemat Nauk" Vol VI, No 5 (45), pp 206-210

Following 3 books reviewed: (1) V. D. Kupradze, "Boundary-Value Problems of the Theory of Oscillations and Integral Equations," 1950, 4,000 copies, 12.60 rubles; (2) N. P. Vekua, "Systems of Singular Integral Equations and Certain Boundary-Value Problems," Gostekhizdat, 1950, 252 pp, 9.50 rubles; (3) F. R. Gantmacher and M. G. Kreyn, "Oscillations Matrices and Kernels and Small Oscillations

191f100

USSR/Mathematics - Bibliography (Contd) Sep/Oct 51
of Mechanical Systems," 2d Ed, Gostekhizdat, 1950, 359 pp, 16.50 rubles.

191f100

GAKHOV, F. D.

191f100

GAKHOV, F. D.

2

Gahov, F. D. On singular cases of Riemann's boundary problem. Doklady Akad. Nauk SSSR (N.S.) 80, 795-798 (1951). (Russian)

This paper continues the work of some earlier papers of the author on the same problem [same Doklady 67, 601-604 (1949); these Rev. 11, 169; Izvestiya Akad. Nauk SSSR. Ser. Mat. 14, 549-568 (1950); these Rev. 12, 402]. It extends the solution to the case where the elements of the matrix A become infinite of some integral order and where the determinant of A may vanish, both at a finite number of points on L . By a transformation of A to a canonical form similar to that used in the preceding papers the author finds that the number of linearly independent solutions of the homogeneous problem is not affected by the existence of zeros of $|A|$, but diminished according to the number of "poles" of the matrix elements, and that the integrability conditions for the nonhomogeneous problem are correspondingly changed.

M. Golomb (Lafayette, Ind.)

Source: Mathematical Reviews,

Vol. 13 No. 6

USSR/Mathematics - Bibliography May/Jun 52

"Review of I. I. Privalov's Book 'Boundary Properties of Analytical Functions,'" F. D. Gakhov

"Uspekhi Matemat Nauk" Vol VII, No 3 (49), pp 185-187

Reviewed book is the 2d edition, considerably revised and supplemented, under the editorship of A. I. Markushevich; published by the Gostekhnizdat (State Tech Press), Moscow/Leningrad, 1950, price 11.85 rubles, 336 pp, 5,000 copies. The revision of Privalov's book was carried out by a collective of authors chapter by chapter, so that the book is

218r75

USSR/Mathematics - Bibliography May/Jun 52
(Contd)

essentially new. Reviewer criticizes its main deficiency: the absence of a living connection with the solution of practical boundary-value problems in the theory of analytical functions; otherwise the book is excellent.

218r75

GAKHOV, F. D.

GAKHOV, F. D.

USSR/Mathematics - Boundary-Value Problem Jul/Aug 52
"Boundary-Value Problem of Riemann for a System of n
Pairs of Functions," F. D. Gakhov
"Uspehi Matemat Nauk vol VII, No 4 (50), pp 3-54

Discusses historical knowledge of subject problem, basic
facts flowing from the reducibility of a boundary-value
problem to a system of Fredholm integral eqs, theory of
linear transformations, canonical system of solns, gen-
eral soln of a boundary-value problem, special case of
zero determinant, boundary-value problem with discon-
tinuous coeffs, open contours, coeffs from the field
of algebraic functions, generalized boundary-value prob-
lem analogous to Riemann's problem, systems of singular
integral eqs, singular functional eqs, and systems of
singular integrodifferential eqs.

225T57

GAKHOV, F. D.

Gahov, F. D. Concerning a note of I. C. Gohberg. Uspehi Matem. Nauk (N.S.) 7, no. 6(52), 181-182 (1952). (Russian)

The author criticises the paper of Gohberg [Uspehi Matem. Nauk (N.S.) 7, no. 2(48), 149-156 (1952); these Rev. 14, 54 which see for notations], and calls attention to his 1941 dissertation [Izvestiya Kazan. Fiz.-Mat. Obsč. (3) 14, 75-159 (1949); unavailable for review], to the work of D. I. Šerman [Akad. Nauk SSSR. Prikl. Mat. Meh. 12, 423-452 (1948); 15, 75-82 (1951); these Rev. 10, 305; 12, 832] and the (unavailable) dissertation of L. A. Čikin [Singular cases of Riemann's boundary problem and of singular equations, Kazan, 1952]. He states without proof a result that the singular operator A is regularisable if $A\varphi(t)=g(t)$ is soluble, and this he considers a less restrictive result than Gohberg's that the non-vanishing of $a^2(t)-b^2(t)$ was not only sufficient but necessary when the regularising operator M was to be bounded on L_2 into L_2 . On the other hand, Gohberg did not require solubility, a term not precisely defined in the note under review. F. V. Atkinson.

62. MATHEMATICAL REVIEW
Vol XIV No 8, September 1953, pp 723-730
(Unclassified)

GAKHOV, F.

1 Oct 52

USSR/Mathematics - Inverse Boundary Problems

"Inverse Boundary-Value Problems," F. K. Gakhov, Kazan State

DAN SSSR, Vol 86, No 4, pp 649-52

Considers boundary-value problem originating in theory of jet flow of fluids which was originally formulated as problem of determining the contour of a region according to values given on it, of function u , harmonic in the region, and according to its normal derivative du/dn . States that inverse boundary-value problems have found immediate technical application, mainly in hydrodynamics and elasticity theory. Improves M. T. Nuzhin's statement of problem. Investigates conditions governing functional character which are imposed on given functions and desired contour. Proves the solvability of so called exterior problem. Presented by Acad M. V. Keldysh 12 Jul 52.

252T68

GAKHOV, F. D.

USSR/Mathematics - Boundary-Value Problem, Riemann's Mar/Apr 52

"Singular Cases of Riemann's Boundary-Value Problem for Systems of n Pairs of Functions," F. D. Gakhov, Kazan State U imeni Lenin

"Iz Ak Nauk SSSR, Ser Matemat" Vol XVI, No 2, pp 147-156

Considers the cases where the elements of the matrix of coeffs of the boundary-value problem are converted into infinity or its determinant is converted into zero. As a general tendency it is established that the presence of poles in the elements

206FT1

USSR/Mathematics - Boundary-Value Problem, Riemann's (Contd) Mar/Apr 52

of the matrix decreases the number of linearly independent solns or increases the number of conditions of solv of the problem, but the presence of zeros in the determinant does not change these quantities. The variation in the number of linearly independent solns is exactly established in the simplest cases. Submitted by Acad M. V. Kel- dysh 14 Jul 51.

206FT1

Gahov, F. D.; and Chirkova, L. I. On Riemann's boundary problem for the case of intersecting contours. Kazan Gos. Univ. Uč. Zap. 113, no. 10 (1953), 107-110. (Russian)

Let L be a contour in the z -plane consisting of a finite collection of closed and open piecewise smooth arcs having a finite number of common points and let $g(t)$, $G(t)$ be functions given on L satisfying a Hölder condition and $G(t) \neq 0$. Let it be required to find a piecewise holomorphic function $\Phi(z)$ which has right and left hand limits on L satisfying $\Phi^+(t) = G(t)\Phi^-(t) + g(t)$ except at points of intersection and at endpoints of L where $\Phi(z)$ may become infinite of order < 1 and of infinitely small order, respectively. The solution of this Riemann-Hilbert problem is obtained by quadratures from the "canonical solution" $X(z)$ which is a particular solution of $X^+(t) = G(t)X^-(t)$ vanishing at no ordinary point of L and of highest possible order at ∞ . The authors construct $X(z)$ as follows: Let t_k be an arbitrary point on the closed curve $L \cup \bar{L}$ or an endpoint of the open L_k ; let

$$\log G(t_k - 0) - \log G(t_k + 0) = 2\pi i \chi_k$$

$$\Gamma(\varepsilon) = -\frac{1}{2\pi i} \int_L \frac{\log G(\tau)}{\tau - z} d\tau.$$
1/2

Gahoy, F. D.

Then $X(z) = \prod(z - t_k)^{-z_k} e^{\Gamma(z)}$. This is a simpler expression for $X(z)$ than that found by Kveselava [Akad. Nauk Gruzin. SSR. Trudy Tbiliss. Mat. Inst. Razmadze 17 (1949), 1-27; MR 13, 135].

M. Golomb.

2/2

~~GAKHOV~~, F. D.
GAKHOV, F. D.

Gahov, F. D.: Riemann's boundary problem for a system of n pairs of functions. Uspehi Matem. Nauk (N.S.) 7, no. 4(50), 3-54 (1952). (Russian)

In this comprehensive study the work on the Riemann boundary value problem for systems of analytic functions of a complex variable done by the author, by Muskhelishvili, Vekua, Magnaradze and others [see, e.g., these Rev. 6, 272; 10, 439; 11, 169] is summarized and extended in various directions. The basic problem is as follows: Let L be a system of disjoint closed smooth curves bounding a bounded region D^+ and the complementary region D^- . A "piecewise analytic" vector $\varphi(z)$ with components $\varphi_i^+(z)$ analytic in D^+ and $\varphi_i^-(z)$ analytic in D^- ($i=1, 2, \dots, n$) is to be found such that $\varphi^+ = A\varphi^- + b$ on L . Here $\varphi^+(t)$, $\varphi^-(t)$ are the limits of $\varphi(z)$ as z approaches t on L from within D^+ , D^- respectively, $A(t) = (a_{ij}(t))$ is a matrix and $b(t) = (b_i(t))$ a

SO: MATHEMATICAL REVIEWS (unclassified)
Vol. 14, No. 7, July-Aug. 1953, pp.609-712.

GAKHOV, F. D.

PA 243T83

USSR/Mathematics - Singular Integrals
Nov/Dec 52
"Concerning the Note of I. Ts. Gokhberg," F. D.
Gakhov

"Usp Matemat Nauk" Vol 7, No 6 (52), pp 181; 182
Gokhberg's note "An Application of the Theory of
Normed Rings to Singular Integral Equations"
("Usp Matemat Nauk," Vol 7, No 2) deals with the
following theorem: In order that the operator
 $a(t)f(t) + \frac{b(t)}{\pi i} \int_{s-t}^t \frac{f(s)ds}{s-t} + Tf$, where T is com-
pletely continuous operator, should admit

243T83

regularization, it is necessary and sufficient
that the following condition should hold
 $a_2(t) - b_2(t) \neq 0$. Gakhov takes exception to the
condition, since regularization is independent
of the condition.

243T83

Mathematical Reviews
Vol. 14 No. 7
July - August 1953
Analysis

Gahov, F. D. On inverse boundary problems. Doklady Akad. Nauk SSSR (N.S.) 86, 649-652 (1952). (Russian)

Soient: L_w , la courbe fermée, simple, assez régulière du plan de la variable complexe $w = u + iv$, définie au moyen des équations paramétriques $u = u(s)$, $v = v(s)$, $0 \leq s \leq t$, où $u(s)$ et $v(s)$ admettent la période t ; D_w^+ , D_w^- les domaines intérieur et extérieur de L_w , limités par L_w ; L_u , D_u^+ , D_u^- , des éléments analogues du plan $z = x + iy$ (D_u^+ pouvant être multiplemement connexe). L'A. se propose d'associer à L_w un contour L_u , de manière que $u(s) + iv(s)$ soit la valeur frontière de la fonction analytique, réalisant l'application conforme de D_u^+ (ou D_u^-) sur D_w^+ ou D_w^- . On constate que le problème intérieur a toujours une solution et une seule— moyennant, bien entendu, quelques hypothèses de régularité. Pour le problème intérieur, l'unicité n'a lieu que moyennant une condition supplémentaire dont la discussion reste à faire.

J. Kravchenko (Grenoble).

GAKHOV, F. D.

On Inverse Boundary Value Problems
Uch. Zap. Kazansk. un-ta, Vol 113, No 10, 1953, pp 9-20

The author develops, corrects, and supplements an article which was published earlier in Dok Ak Nauk SSSR, Vol 86, No 4, 1952, pp 649-652. The internal and external problems are formulated and a number of theorems are proved on the existence and uniqueness of their solutions. The abstractor, S. N. Andrianov, states that the question of the uniqueness of the solution of the external problem is left open. (RZhMat, No 5, 1955)

SO: Sum. No. 639, 2 Sep 55

GAKHOV, F.D.; KHAPLANOV, M.G.; AL'PER, S.Ya.

"Brief outline of mathematical analysis." A.IA.Khinchin. Reviewed
by F.D.Gakhov, M.G.Khaplanov, S.IA.Al'per. Usp.mat.nauk 9 no.4:
266-275 '54. (MLRA 8:1)
(Calculus) (Khinchin, Aleksandr Iakovlevich, 1894-)

GAKHOV, F.D.

"Theory of functions of real variables." N.A.Orlov. Reviewed by
F.D.Gakhov. Usp.mat.nauk 9 no.4:277-280 '54. (MIR 8:1)
(Functions of real variables) (Orlov, N.A.)

GAKHOV, F. D.

Gahov, F. D.; and Cerskii, Yu. I. Special integral equations of convolution type and an area problem of the type of Riemann's problem. Kazan, Gos. Univ. Uc. Zap. 114 (1954), no. 8, 21-33. (Russian)

The contents of this paper represent a special case of the analytical results presented in the paper reviewed below. Using the notations of the latter review, the present paper solves the homogeneous equations (1) and (2) for Case I.a. and II.b. respectively. *F. Heyda.*

(Sth.)

GAKOV, F. D.

USSR/Mathematics - Integral equations

Card 1/1 Pub. 22 - 3/40

Authors : Gakhov, F. D., and Cherskiy, Yu. I.

Title : Integral equations of a special type ("svertka")

Periodical : Dok. AN SSSR 99/2, 197-199, Nov 11, 1954

Abstract : Solutions of integral equations of the following type: $f(x) + \frac{1}{\sqrt{2\pi}} \int_{-\infty}^{\infty} k_1(x-t)f(t)dt$
 $+ \frac{1}{\sqrt{2\pi}} \int_{-\infty}^{\infty} k_2(x-t)f(t)dt = g(x)$, $-\infty < x < \infty$; and $f(x) + \frac{1}{\sqrt{2\pi}} \int_{-\infty}^{\infty} k_1(x-t)f(t)dt = g(x)$,
 $0 < x < \infty$, $f(x) + \frac{1}{\sqrt{2\pi}} \int_{-\infty}^{\infty} k_2(x-t)f(t)dt = g(x)$, $-\infty < x < 0$ are sought. It was believed that those equations can be solved only by Fourier's transform which would reduce them to the problem of finding boundary conditions of the theory of analytical functions. Five different cases of the boundary problem are analyzed. Three USSR references (1949-1953).

Institution : Rostov on the Don River State University im. V. M. Molotov

Presented by: Academician V. I. Smirnov, July 9, 1954

USSR/Mathematics - Singular integrals

FD-1424

Card 1/1 :: Pub. 64 - 2/9

Author : Gakhov, F. D. (Rostov), and Chibrikova, L. I. (Kazan')

Title : Certain types of singular integral equations solvable in closed form.

Periodical : Mat. sbor., Vol. 35(77), pp 395-436, Nov-Dec 1954

Abstract : Gives the historical background and statement of the problem. Reduces the complete singular equation to a boundary value problem. Discusses finite groups of fractional-linear transformations and automorphous functions. Solves the Riemann problem for intersecting contours and gives the solution of the boundary value problem. Considers equations with kernels invariant during transformations of the group, and equations with kernel that acquire multiples during transformations of the group. Examples of these are given. Eight references.

Institution :

Submitted : June 18, 1953

~~GAKHOV F. D.~~

Gahov, E. D. On the inverse boundary problem of a connected domain. Rostov. Gos. Ped. Inst. Uc. Zap. no. 3 (1955), 19-27. (Russian)

Let (1) $\{u_k(s), v_k(s)\}$ ($k=0, 1, \dots, n$) denote $n+1$ pairs of continuous periodic functions with respective periods l_k . Let L_{w_k} denote the family of $n+1$ curves which (1) determines in the w -plane; suppose that each of the curves is simple, that no two of them intersect, and that the family of curves determines a finite domain D_w of connectivity $n+1$.

The inverse boundary problem is this: to construct $n+1$ rectifiable closed curves L_{z_k} which define a finite domain D_z (not necessarily single-sheeted) in the z -plane such that the complex-valued functions

$$w_k(s) = u_k(s) + iv_k(s),$$

with s representing arc length on L_{z_k} , give the boundary values of a function $w(z)$ which effects the conformal mapping of D_z onto D_w . Under the hypothesis that the u_k and v_k are differentiable, the author obtains some necessary and some sufficient conditions on (1) for the existence of a solution of the problem. G. Pirani.

GAKHOV, F-D

Gahov, F. D.; and Bershad, Yu. I. Singular integral
equations of convolution type. Izv. Akad. Nauk SSSR.
Ser. Mat. 20 (1956), 33-52. (Russian)

In this paper the authors solve the equation

$$(1) \quad f(x) + (2\pi)^{-1} \int_0^\infty k_1(x-t)f(t)dt + (2\pi)^{-1} \int_0^\infty k_2(x-t)f(t)dt = g(x) \quad (-\infty < x < \infty),$$

and also the dual equations

$$(2) \quad f(x) + (2\pi)^{-1} \int_{-\infty}^x k_1(x-t)f(t)dt = g(x) \quad (0 < x < \infty),$$

$$f(x) + (2\pi)^{-1} \int_x^\infty k_2(x-t)f(t)dt = g(x) \quad (-\infty < x < 0)$$

wherein, for the kernels involved, it is assumed that

(*) $k_j(x)e^{-yx} \in L(-\infty, \infty)$ ($a_j \leq y \leq b_j$; $j = 1, 2, \dots$),

and, for the solution function $f(x)$, that

$$(4*) \quad \begin{aligned} f(x) &= f_+(x) - f_-(x), \\ f_+(x)e^{-yx} &\in L^2(-\infty, \infty) \quad (y \geq 0), \\ f_-(x)e^{-yx} &\in L^2(-\infty, \infty) \quad (y \leq 0), \end{aligned}$$

Ganov, F.O.; Corsk, V.L.

where $f_+(x)$ and $f_-(x)$ are defined by $f_+(x) = \eta(x)f(x)$, $f_-(x) = -\eta(-x)f(x)$, $\eta(x)$ being the unit step function, $\eta(x)=0$ for $x<0$, $=1$ for $x>0$. Values of β and α are determined so as to insure the widest possible class of functions in $(*)$ consistent with the existence of the integrals appearing in (1) and (2). Denoting these values by $\bar{\beta}$ and $\bar{\alpha}$, it is found that for (1)

$$(1^*) \quad \bar{\beta} = b_1, \bar{\alpha} = a_2,$$

and for (2)

$$(2^*) \quad \bar{\beta} = \min(b_1, b_2) = b, \bar{\alpha} = \max(a_1, a_2) = a.$$

For equation (1), it is then found that the widest possible class for $g(x)$, in view of (*), $(**)$, and (1^*) is

$$(***)
 \begin{cases}
 g_+(x)e^{-yx} \in L^2(-\infty, \infty), y \geq b_1 \\
 g_-(x)e^{-yx} \in L^2(-\infty, \infty), y \geq a_2 \\
 g_+(x)e^{-yx} \in L^2(-\infty, \infty), y \geq a_2 \\
 g_-(x)e^{-yx} \in L^2(-\infty, \infty), y \leq b_1
 \end{cases}
 \text{when } b_1 \geq a_2,$$

The following cases are then established for solving (1) and (2). For (1): Case I.a. $b_1 \geq a_2$; case I.b. $b_1 < a_2$. For (2): Case II.a. $b_1 < a$; case II.b. $b \geq a$; case II.c. $b_2 < a_1$. The

Gahov, F.D.; Bershch, Yu.I.
 cases corresponding to equality in I.a. and II.b. represent solutions obtained previously [see the paper reviewed below and I. M. Rapoport, Sb. Trud. Inst. Mat. Akad. Nauk Ukrainsk. SSR 12 (1949), 102-118].

The principal tool in the solution of (1) and (2) for the cases enumerated is the Riemann boundary problem for a complex contour consisting of two parallel lines. By

suitably manipulating the given equations and then taking the Fourier transform, the given equations (1) and (2) can be restated in a form corresponding directly to the boundary problem, for which the solution is given. The inequalities characterizing the cases enumerated determine the positions of the parallel lines comprising the contour and hence delimit the regions of analyticity of the transformed functions.

The solution of (1) for case I.a. turns out to be

$$(3) \quad f(z) = (2\pi)^{-1} \int_{\Omega_1 - \infty}^{\Omega_1 + \infty} \Phi^+(\zeta) e^{-iz\zeta} d\zeta - (2\pi)^{-1} \int_{\Omega_2 - \infty}^{\Omega_2 + \infty} \Phi^-(\zeta) e^{-iz\zeta} d\zeta.$$

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Gahov, F. D.; Cersik, V.

where $\Phi(z)$ is the solution of the Riemann boundary-value problem appropriate to this case. The function $\Phi(z)$ is rather involved and will not be reproduced here.

J. F. Heyda (Indianapolis, Ind.)

4/4
J. F. Heyda

Gakhov, F. D.

Call Nr: AF 1108825

Transactions of the Third All-union Mathematical Congress (Cont.) Moscow,
Jun-Jul '56, Trudy '56, V. 1, Sect. Rpts., Izdatel'stvo AN SSSR, Moscow, 1956, 237 pp.
Gabib-Zade, A. Sh. (Baku). Investigation of the Ramification
Points of Non-linear Loaded Integral Equations With Various
Parameters. 44-45

Gavrilov, N. I. (Odessa). New Method Based on the Theory of
Moments, for Investigating Non-linear Differential Equations. 45-46

Gagua, M. B. (Tbilisi). On the Completeness of Systems of
Harmonic Functions 46

Mention is made of Keldysh, M. V.

Gal'pern, S. A. (Moscow). Cauchy Problem for the Equations of
S. L. Sobolev Type 47-48

There is mention of Petrovskiy, I. G.

There are 4 references, all of them USSR.

Gakhov, F. D. (Rostov-na-Donu). Chibrikova, L. I. (Kazan')
Card 15/80 "Some Types of Singular Integral Equations Solvable in Closed Form." 43-49

Gakhov, F. D.

Call Nr: AF 1108825

Transactions of the Third All-union Mathematical Congress (Cont.) Moscow,
Jun-Jul '56, Trudy '56, V. 1, Sect. Rpts., Izdatel'stvo AN SSSR, Moscow, 1956, 237 pp.
Gagayev, B. M. (Kazan'). Some Properties of Orthogonal
Functions. 77

Gakhov, F. D. (Rostov-na-Donu). Krikunov, Yu. M. (Kazan').
Topological Methods in the Theory of Function of a Complex
Variable and Their Application for Solving Inverse
Boundary Problems. 77-78

There is 1 reference, which is a translation into Russian.

Gel'fer, S. A. (Gor'kiy). On a Maximum Conformal Radius
of the Fundamental Domain of a Given Group. 78

Mention is made of Lavrent'yev, M. A.

Geronimus, Ya. L. (Khar'kov). On Some Sufficient Convergence
Conditions of the Fourier-Chebyshev Process. 78-79

Card 24/80

GAKHOV, F.D.; KRIKUNOV, Yu.M.

Topological methods in the theory of functions of complex variables
and their application in inverse boundary problems. Izv.AN SSSR.
Ser.mat. 20 no.2:207-240 Mr-Ap '56. (MLRA 9:11)

1. Predstavлено академиком М.А. Лаврентьевым.
(Functions of complex variables) (Topology)

GAKHOV, F.D.

GAKHOV, F.D.

Seminar on mathematical analysis and mechanics at the Rostov State University. Usp.mat.nauk 12 no.3:263-266 My-Je '57. (MIRA 10:10)
(Rostov--Mathematics) (Rostov--Mechanics)

16(1)

AUTHORS: Gakhov, F.D., and Mel'nik, I.M. (Rostov- SCOV/41-11-1-3/12
na-Doni)

TITLE: Singular Boundary Points in Reversion-Boundary Value Problems
of the Theory of Analytic Functions

PERIODICAL: Ukrainskiy matematicheskiy zhurnal, 1959, Vol 11, Nr 1,
pp 25-37 (USSR)

ABSTRACT: According to M.T.Nuzhin [Ref 1] the reversion problem consists
in the determination of the boundary from the given values of an
analytic function on this sought boundary. The given functions
are chosen sufficiently smooth by the authors in order to avoid
a nowhere smooth boundary as solution, but for the given
functions single simple singularities are admitted so that the
boundary becomes also singular in the corresponding points. The
kind of these singularities is investigated with function
geometrical and differential geometrical methods. The authors
mention G.G.Tumashev.
There are 7 Soviet references.

SUBMITTED: April 17, 1957

Card 1/1

GALTHER, F. D.

37/392

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DISCRETE: THIS BOOK IS INTENDED FOR SPECIALISTS IN THE THEORY OF FUNCTIONS OF A COMPLEX VARIABLE. IT MAY ALSO BE USED BY EDUCATED UNIVERSITY STUDENTS, SCIENTIFIC WORKERS, AND SPECIALISTS IN OTHERIELDS OF MATHEMATICS.

CONFIDENTIAL: THIS BOOK CONTAINS 40 PAPERS ORIGINALLY READ AT THE THIRD ALL-URSS CONFERENCE ON THE THEORY OF FUNCTIONS OF A COMPLEX VARIABLE HELD ON JUNE 27-30, 1971, IN KAZAN. THE ARTICLES TREAT THE MODERN THEORY OF FUNCTIONS AND ITS APPLICATIONS. THE BOOK IS DIVIDED INTO 7 PARTS. THE FIRST PART DISCUSSES THE PROBLEMS OF CONVERGENCE, POWER SERIES, BOUNDARY AND EXTREMAL PROPERTIES. THE SECOND PART DISCUSSES ENTIRE FUNCTIONS AND INTERPOLATION AND APPROXIMATION PROBLEMS. THE THIRD PART IS DEVOTED TO CONFORMAL MAPPING AND BOUNDARY-VALUE PROBLEMS. THE FOURTH PART IS DEVOTED TO RIEMANN SURFACES AND THE THEORY OF DISTRIBUTIONS. THE FIFTH PART DISCUSSES GENERALIZED ANALYTIC FUNCTIONS, AND THE SIXTH AND SEVENTH PARTS ARE DEVOTED TO MISCELLANEOUS PROBLEMS.

DISCRETE: THIS BOOK IS UNCLASSIFIED.

Moscow, (title page). L. I. Bershtejn (Editor). V. S. Vinogradov, Ed. Naukova Dumka, Kyiv, 1973.

PURPOSE: THIS BOOK IS INTENDED FOR SPECIALISTS IN THE THEORY OF FUNCTIONS OF A COMPLEX VARIABLE. IT MAY ALSO BE USED BY EDUCATED UNIVERSITY STUDENTS, SCIENTIFIC WORKERS, AND SPECIALISTS IN OTHERIELDS OF MATHEMATICS.

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TABLE III

Pins, B. A. (Kazan). On the Normal Functions of a Region	237
Pins, B. A. (Kazan). Conformal Projection in a Space of Several Variables and Some of Its Applications	294
Troyan, V. L. (Sverdlovsk). On the Characteristics of the Growth of Entire Functions of Many Complex Variables	301
Zarutskii, S. A. (Kiev). On Complete Systems and Bases in Spaces of Analytic Functions of Many Complex Variables	305
Zarutskii, S. A. (Kiev). On the Solutions of One Type of Differential Equations Connected With Entire Functions of Two Complex Variables	316

TABLE IV

Gal'perin, F. D., and I. M. Gel'shtik (Belorussian). On Conformal Mappings in the Converse Boundary Value Problem of the Theory of Harmonic Functions	323
Gal'perin, F. D., and I. M. Gel'shtik (Belorussian). On the Conformal Mapping of a Multivalent Function on a Circle	324
Kamyn'ev, L. A. (Kazan). Univalent Variation of a Disk Profile	335
Gal'perin, F. D., and N. G. Eremeev (Belorussian). On Hilbert's Dirichlet Problem for a Multiconnected Region	340
Osyan, N. N. (Tbilisi). On a Certain Application of Cauchy-Type Multiple Integrals	345
Leshko, B. V. (Minsk). On the Method of Constructing Piece-Wise Analytic Functions Connected with Filtration Theory	353
Bogolyubov, A. V. (Belorussian). Conformal Mappings of Close Regions	359
Nedobit'ko, O. P. (Kharkov). Approximate Solutions of Boundary Value Problems of the Theory of Analytic Functions	363
Pal'mov, I. A. (Novosibirsk). Problem of the Homomorphic Interpretation of a Function of a Complex Variable and the Cauchy Problem	371

PAGE V

GAKHOV, F.D.
GAKHOV, F.D., LOZINSKIY, S.M.; TUMARKIN, L.A.

[Program in mathematical analysis for physicomathematics, and mechanics and mathematics faculties of state universities. Majors: mathematics and mechanics] Programma po matematicheskому analizu dlia fiziko-matematicheskikh i mekhaniko-matematicheskikh fakul'tetov gosudarstvennykh universitetov. Spetsial'nosti: Matematika i mekhanika. Minsk, Izd-vo Belgozuniv., 1958. 6 p. (MIRA 11:3)

1. Russia (1923- U.S.S.R.) Ministerstvo vysshego obrazovaniya.
(Mathematics--Study and teaching)

16(1)

PHASE I BOOK EXPLOITATION

SOV/2421

Gakhov, Fedor Dmitriyevich

Krayevyye zadachi (Boundary Value Problems) Moscow, Fizmatgiz, 1958.
543 p. Errata slip inserted. 4,500 copies printed.

Ed.: I. G. Aramanovich; Tech. Ed.: S. N. Akhlamov.

PURPOSE: This book is intended for senior mathematics students in universities, Aspirants, and others interested in the solution of problems of mathematical physics by the methods of theory of functions of a complex variable.

COVERAGE: The book studies boundary value problems of the theory of analytic functions and differential equations of elliptic type and their applications to singular equations with Cauchy kernel. It is based on a lecture course taught by the author at the Universities of Kazan' and Rostov, beginning in 1947. Because of the systematic presentation of the subject, the book may be used as a textbook. The topics covered in this book are not ordinarily found in any one book. The extent of the material presented and the historical information at the end of each chapter concerning the development

Card 1/ 18

Boundary Value Problems

SOV/2421

of the topic under discussion makes the book a valuable monograph in the field of boundary value problems. The author thanks Docent V. S. Rogozhin and Aspirants T. A. Bachurina, A. A. Govorukhina, R. Kh. Zaripov, I. M. Mel'nik, L. G. Mikhaylov, G. S. Litvinchuk, I. A. Paradoksova, E. G. Khasabov, Yu. I. Cherskiy, and S. V. Yanovskiy. The author also thanks his academic colleague Docent L. A. Chikin, for his aid in writing the book, and Professor D. I. Sherman for critical comments on the manuscript. There are 96 references: 81 Soviet, 7 German, 5 French, 2 Italian, and 1 English.

TABLE OF CONTENTS:

Preface	9
Introduction	13
Ch. I. Integrals of Cauchy Type	
1. Definition of an integral of the Cauchy type and examples	16
Card 2/ 18	

AUTHOR: Gakhov, F.D. and E.G. Khasabov (Rostov) SOV/140-58-1-2/21

TITLE: The Boundary Value Problem of Hilbert for Multiply Connected Domains (Krayevaya zadacha Gil'berga dlya mnogosvyaznykh oblastey)

PERIODICAL: Izvestiya vysshikh uchebnykh zavedeniy Ministerstva vysshego obrazovaniya SSSR, Matematika, 1958, Nr 1, pp 12 - 23 (USSR)

ABSTRACT: § 1. Let D be a finite multiply connected domain, the boundary L of which consists of $m + 1$ disjoint closed Lyapunov curves L_j ($j=0,1,\dots,m$). Let L_0 comprise all other L_j . A function $F(z) = u + iv$ analytic in D is sought which is continuous on $D + L$ and satisfies on L the condition

$$(1) \quad \operatorname{Re} \left\{ [a(s) - ib(s)] F(t) \right\} = a(s) u(s) + b(s) v(s) = c(s),$$

where $a(s)$, $b(s)$, $c(s)$ are defined on L and are real and satisfy the condition of Hölder. $\alpha = \operatorname{Ind} [a(s) + ib(s)] =$

$\frac{1}{2\pi} \left\{ \arg [a(s) + ib(s)] \right\}_L$ is called the index of the problem.

Card 1/4 § 2. If $\alpha > 0$, then the homogeneous problem has, in the class

The Boundary Value Problem of Hilbert for Multiply
Connected Domains

SOV/140-58-1-2/21

of multivalent analytic functions, $2\alpha + 1$ linearly independent solutions which are explicitly given. If $\alpha < 0$, then the solution in the class of the analytic functions is impossible.

§ 3. Formulation of the results of Kveselava [Ref 3] and Vekua [Ref 4]. The boundary condition (1) can be written in the form

$$(2) \quad \operatorname{Re} \left[e^{-ih(s)} F^*(t) \right] = c^*(s),$$

where $h(s) = 0$ on L_0 and $h(s) = h_j = \text{const}$ on L_j . Let

$$(3) \quad \operatorname{Re} \left\{ i[a(s) + ib(s)] t'(s) \varphi(t) \right\} = 0$$

be the conjugate problem. Let l and l' be the number of the solutions of the homogeneous problem (1) and of the conjugate problem (3), then it is $l - l' = 2\alpha + m - 1$.

§ 4. The function $a - ib$ is said to satisfy the uniqueness conditions, if in (2) it is $h(s) \equiv 0$. Now the authors consider solutions in the class of the schlicht functions.

If $\alpha = 0$ and if the uniqueness conditions are satisfied for $a - ib$, then the homogeneous problem has a solution, while the inhomogeneous problem is solvable under fulfillment of m conditions. If the uniqueness conditions are not satisfied, then the homogeneous problem has no nontrivial solution, while

Card 2/4

The Boundary Value Problem of Hilbert for Multiply
Connected Domains

SOV/140-58-1-2/21

the inhomogeneous problem is solvable under fulfillment of $m-1$ conditions.

If $\lambda = m - 1$ and if $(a + ib)t'$ satisfies the uniqueness conditions, then the homogeneous problem has m solutions and the inhomogeneous problem is solvable under fulfillment of one condition. If the uniqueness conditions are not satisfied, then the homogeneous problem has $m - 1$ solutions and the inhomogeneous problem is always solvable.

The two last theorems allow a complete solution for two- and threefold connected domains ($m = 1, m = 2$).

§ 5. The relation between the problem and the conformal mapping. The authors state that the number of solutions does not only depend on the coefficients but also on the form of the domain D .

§ 6. The problem investigated by Vekua [Ref 4] to find a solution $U = u + iv$ of the equation

$$\frac{\partial U}{\partial \bar{z}} = A \bar{U}, \text{ which is regular in } D$$

and continuous in $D + L$ and satisfies the condition $\operatorname{Re}[(\alpha - i\beta)U] = \gamma$, is considered by authors (without using integral equations like in the paper of Vekua) with the aid of

Card 3/4

The Boundary Value Problems of Hilbert for Multiply
Connected Domains SOV/140-58-1-2/21

the results of §§ 1 - 5. In this simpler way the authors
succeed in obtaining all qualitative results of Vekua.
There are 5 Soviet references.

ASSOCIATION: Rostovskiy gosudarstvennyy universitet (Rostov State University)

SUBMITTED: October 14, 1957

Card 4/4

GAKHOU, F.H.

PAGE 1 BOOK EXPLOITATION	
16(0)	SOV/3177
	Matematika v SSSR za dorok let, 1917-1957 (om. 1: Osnovnye stat'i i materialy v SSSR za dorok let, 1917-1957). Vol. 1: Matematika v SSSR za dorok let, 1917-1957. Moscow, Pizmatiz, 1955. 1002 p., 5,500 copies
Eds:	A. G. Kurosh, (chief Ed.), V. I. Biryukov, V. G. Bar'yanskiy, Ye. S. Dynkin, D. A. Ye. Shilov, and A. F. Tushkevich; Ed. (Inside book); A. P. Laptov; Tech. Ed.; S. M. Aklakov.
PURPOSE:	This book is intended for mathematicians and historians of mathematics interested in Soviet contributions to the field.
CONTENTS:	This book is Volume I of a major 2-volume work on the history of Soviet mathematics. Volume I surveys the chief contributions made by Soviet mathematicians during the period 1917-1957; Volume II will contain a bibliography of Soviet mathematics during the period 1957-1977 and biographical sketches of some of the leading Soviet mathematicians. This work follows the tradition set by Matematika v SSSR za pyatnadtsat' let (Mathematics in the USSR for 15 Years) and Matematika v SSSR za desyat' let (Mathematics in the USSR for 10 Years).
	This work divides the field into major divisions (the theory of probabilities, functional analysis, etc., algebra, topology, distributions and distributions, differential equations, etc., and contains some 1400 Soviet mathematicians discussed. A list of references to their contributions is included with references to their contributions in the field.
Volkovskiy, L. I. Riemann Surfaces.	472
Introduction	
1. Classification of Riemann surfaces	472
2. Geometric theory of entire and meromorphic functions	474
3. Analytic and quasianalytic functions and differentials	476
4. Various problems. Problematika	477
Shabat, B. V. Generalizations and Analogies of the Theory of Meromorphic Functions	480
Pule, M. A. Functions of Many Complex Variables	481
Strel'tsov, P. D., and B. V. Khvedelidze. Boundary-value Problems of the Theory of Functions of a Complex Variable	494
Maz'ya, V. G. Ordinary Differential Equations in the USSR in the field of ordinary differential equations	511
1. Analytic representation of solutions (problems of algorithmic solvability)	511
2. Asymptotes of the solutions of differential equations (method of continuous extension (method of small parameter))	514
3. Method of small parameter for finding periodic and degenerate systems of differential equations	519
4. Existence theorems and general qualitative theory of dynamic systems and other generalizations of the theory of ordinary differential equations	529
5. Theory of dynamic systems and other generalizations of the theory of ordinary differential equations	535
6. Degenerate systems of differential equations	547
7. Lyapunov stability of differential equations	557

ALIKHANOV, A.I.; GALAKTIONOV, Yu.V.; GORODKOV, Yu.V.; YELISEYEV, G.P.;
LYUBIMOV, V.A.

Measuring the spiral characyer of the μ -meson. Zhur.eksp.i teor.
fiz. 38 no.6:1918-1920 Je '60. (MIRA 13:7)

1. Institut teoreticheskoy i eksperimental'noy fiziki Akademii
nauk SSSR.
(Mesons)

GAKHOV, F.D.

Seminar on mathematical analysis and mechanics at the Rostov
State University. Usp. mat. nauk 15 no.4:239-243 Jl-Ag '60.

(MIRA 13:9)

(Mathematical analysis) (Mechanics)

20626

S/020/61/136/006/002/024

C 111/ C 333

16.45DD
AUTHORS: Gakhov, F. D. and Smagina, V. J.

TITLE: Exceptional cases of a convolutional type of integral equation and first kind equations

PERIODICAL: Akademiya nauk SSSR. Doklady, v. 136, no. 6, 1961,
1277-1280

TEXT: The authors consider the integral equations

$$\lambda \varphi(x) + \frac{1}{\sqrt{2\pi}} \int_0^\infty k_1(x-t) \varphi(t) dt + \frac{1}{\sqrt{2\pi}} \int_{-\infty}^x k_2(x-t) \varphi(t) dt = f(x) \quad (A)$$

$-\infty < x < \infty; \lambda = \lambda_1 \text{ for } x > 0, \lambda = \lambda_2 \text{ for } x < 0$

and

$$\lambda_1 \varphi(x) + \frac{1}{\sqrt{2\pi}} \int_{-\infty}^x k_1(x-t) \varphi(t) dt = f(x), \quad 0 < x < \infty \quad (B)$$

$$\lambda_2 \varphi(x) + \frac{1}{\sqrt{2\pi}} \int_{-\infty}^x k_2(x-t) \varphi(t) dt = f(x), \quad -\infty < x < 0.$$

The theory of these integral equations leads to the investigation of the corresponding Riemann boundary value problem. The normal

Card 1/4

20626

S/020/61/136/006/002/024

Exceptional cases of a convolutional... C 111/ C 333

case exists if the coefficient $G(x)$ of the Riemann problem possesses no zeros or poles on the entire limit curve. At first the authors treat the exceptional case, where $G(x)$ possesses zeros and poles of integer order on the x -axis. It is stated that the number of linearly independent solutions of the problem in the exceptional case is smaller by the number of poles of $G(x)$ than the number of these solutions in the normal case. Then the authors show that the problem (A) leads to the Riemann problem

$$\Phi^+(x) = \frac{\lambda_2 + K_2(x)}{\lambda_1 + K_1(x)} \Phi^-(x) + \frac{F(x)}{\lambda_1 + K_1(x)}, \quad -\infty < x < \infty \quad (5)$$

and they assume that

$$\lambda_1 + K_1(x) = \prod_{j=1}^m (x - b_j)^{\beta_j} \prod_{k=1}^n (x - c_k)^{\gamma_k} K_{11}(x) \quad (7)$$

$$\sum_{k=1}^n \gamma_k = 1;$$

$$\lambda_2 + K_2(x) = \prod_{i=1}^l (x - a_i)^{\alpha_i} \prod_{k=1}^{N+1} (x - c_k)^{\gamma_k} K_{12}(x).$$

Card 2/4

20626

S/020/61/136/006/002/024

Exceptional cases of a convolutional... C/111/ C 333

The number of linearly independent solutions of (A) is then identical with the afore-mentioned number of solutions of the boundary value problem; however, the number of the solubility conditions is greater by 1; the constants occurring in the general solution cannot be used for satisfying the solubility conditions.

All the results for (A) hold also for the first kind equation

$$\frac{1}{\sqrt{2\pi}} \int_0^\infty k_1(x-t)\varphi(t)dt + \frac{1}{\sqrt{2\pi}} \int_{-\infty}^0 k_2(x-t)\varphi(t)dt = f(x), \quad -\infty < x < \infty \quad (A_0)$$

which can be obtained from (A) for $\lambda \equiv 0$.

Problem B leads to the boundary value problem

$$\Omega^+(x) = \frac{\lambda_2 + K_2(x)}{\lambda_1 + K_1(x)} \Omega^-_0(x) + \frac{\lambda_2 - \lambda_1 + K_2(x) - K_1(x)}{\lambda_1 + K_1(x)} . \quad (9)$$

The essential difference from problem (A) is that here the solubility conditions caused by the common zeros of $\lambda_1 + K_1(x)$ and $\lambda_2 + K_2(x)$ can also be satisfied by the choice of the constants of the general

Card 3/4

20626

S/020/61/136/006/002/024

Exceptional cases of a convolutional... C 111/ C 333

solution (consequently not only by restrictions for $F(x)$ as in case (5), where $F(x)$ must have zeros in all points c_k).

From (B) and (9) one can obtain an equation of the first kind for $\lambda_1 = \lambda_2 = 0$ just like in case (A).

J. M. Rapoport and I. A. Chikin are mentioned in the paper.

There are 9 Soviet-bloc references.

ASSOCIATION: Rostovskiy - na - Donu gosudarstvennyy universitet
(Rostov - na - Don State University)

PRESENTED: October 3, 1960, by V. J. Smirnov, Academician

SUBMITTED: September 28, 1960

Card 4/4

16.4500

32466
S/044/61/000/010/032/051
C111/C222AUTHOR: Gakhov, F.D.

TITLE: On new types of integral equations being solvable in a closed form

PERIODICAL: Referativnyy zhurnal. Matematika, no. 10, 1961, 66,
abstract 10 B 313. ("Probl. mekhaniki sploshn. sredy" M.,
AN SSSR, 1961, 101-113)TEXT: It is shown that the method applied by Kheyns and Mak-Kami
[Heyns and Mac Camy] (R Zh Mat, 1959, 4801) to the equation

$$\int_0^{\infty} k(|x - t|) \varphi(t) dt = f(x),$$

where $f(x)$ is an analytic function, $k(w) = P(w) \ln w + Q(w)$, P and Q are entire functions, can be applied to obtain closed solutions of much more general equations. Some new problems are formulated.

[Abstracter's note : Complete translation.]

Card 1/1

16.3000

32186
S/044/61/000/011/003/049
C111/C444

AUTHORS: Gakhov, F. D; Khasabov, E. G.

TITLE: On the Hilbert boundary value problem for a multiply connected domain

PERIODICAL: Referativnyy zhurnal, Matematika, no. 11, 1961, 13,
abstract 11B50. ("Issled. po sovrem. probl. teorii
funktsiy kompleks. peremennogo" M., Fizmatgiz, 1960,
340 - 345)

TEXT: Let L_0, L_1, \dots, L_m be closed curves of the Lyapunov type, where L_0 encloses all the others, and let be $L = L_0 + \dots + L_m$.
The connected domain, bounded by L , be D . Considered is the following boundary value problem: Determine in D an analytic function $F(z) = u + iv$, which is continuous up to the boundary L and satisfies on L the boundary condition

$$a(s)u(s) + b(s)v(s) = c(s) \quad (1)$$

where $a(s), b(s), c(s)$ are functions, given on L , satisfying the Hölder condition. This problem is well investigated, if D is a simply

Card 1/2

32486
S/044/61/000/01:/003/049
C111/C444

On the Hilbert boundary value problem...

connected domain. The investigation of the problem (1) in multiply connected domains started in the papers of D. A. Eveselava (Soobshch. A. N. Gruz. SSR, 1946, 8, 581 - 590) and I. N. Vekua (Matem. sb., 1952, 31, 234 - 314). In the present article the investigation of the problem (1) is accomplished in the case of the index of the function $a + ib$, being either 0 or $m - 1$. X

[Abstracter's note: Complete translation.]

Card 2/2

GAKHOV, F. D.

"Lectures on the theory of functions of a complex variable.
Part 1. Holomorphic functions" by G. Sansone, J. Gerretsen.
Reviewed by F. D. Gakhov. Zhur. vych. mat. i mat. fiz. 2
no. 5:956-957 S-0 '62. (MIRA 16:1)

(Functions of complex variables)
(Sansone, G.)
(Gerretsen, J.)

16,2400
16,4500

S/038/62/026/003/002/003
B125/B112

AUTHORS: Gakhov, F. D., Smagina, V. I.

TITLE: Exceptional cases of convolution-type integral equations
and equations of the first kind

PERIODICAL: Akademiya nauk SSSR. Izvestiya, Seriya matematicheskaya,
v. 26, no. 3, 1962, 361 - 390

TEXT: Integral convolution-type equations are singular equations having
the normal form

$$a(t)\varphi(t) + \frac{b(t)}{\pi} \int_{-\infty}^{\infty} \frac{\varphi(\tau)}{\tau-t} d\tau = f(t)$$

according to Yu. I. Cherskiy (Uch. zapiski Kazanskogo gos. un-ta, v. 113
(1953), 43-55). The authors consider cases where the coefficient G(x) of
the corresponding Riemannian problem $\phi^+(x) = G(x)\phi^-(x) + g(x)$ disappears

Card 1/2

Exceptional cases of convolution-type ...

S/038/62/026/003/002/003

B125/B112

or becomes an infinite series of integrals. In particular, equations of the first kind are investigated for which $G(x)$ is equal to zero or a pole in the infinite.

ASSOCIATION: Belorusskiy gos. universitet im. V. I. Lenina (Belorussian State University imeni V. I. Lenin)

SUBMITTED: October 10, 1960

Card 2/2